



**KLAS** Fon®

# 2024 ÇOCUK-BEBEK KUMAŞ FON KATALOGU



Fonları görüntülemek için aşağı kaydırın.

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## KLASFON BEBEK-ÇOCUK KUMAŞ FONLARI

- En: 200 CM- Boy: 155 CM
- Fonlarımız Buruşmaz ve Kırışmazdır
- Parlama Yapmaz- Işığı YansıtmaZ
- 30 Derecede Yıkanabilir
- Özenle seçilmiş yüksek çözünürlüklü fonları en yüksek kalitede baskı ile sizlere sunuyoruz.
- Özel sipariş için istediğiniz görseli bize iletebilirsiniz.
- **Katalogdaki fon görsellerinin üzerine dokunarak hızlı bir şekilde ürünün sitemizdeki sayfasına gidebilirsiniz.**

## KLASFON BABY-CHILDREN FABRIC BACKDROPS

- Width: 200 CM- Height: 155 CM
- Our Backdrops are Wrinkle Resistant - Washable in 30 °C
- Glare-Free and Does Not Reflect Light
- We ship internationally. Please contact us for international shipping.
- We offer highest-quality printed and elaborately chosen high-resolution backdrops.
- You can send us your high-res design for custom printing.
- **You can easily navigate to backdrop's page in our website by just touching on the picture of the backdrop in this catalogue.**



Sosyal medya simgelerine dokunarak bize ulaşabilirsiniz.

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KFB-378





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KFB-380





KFB-381





KFB-382

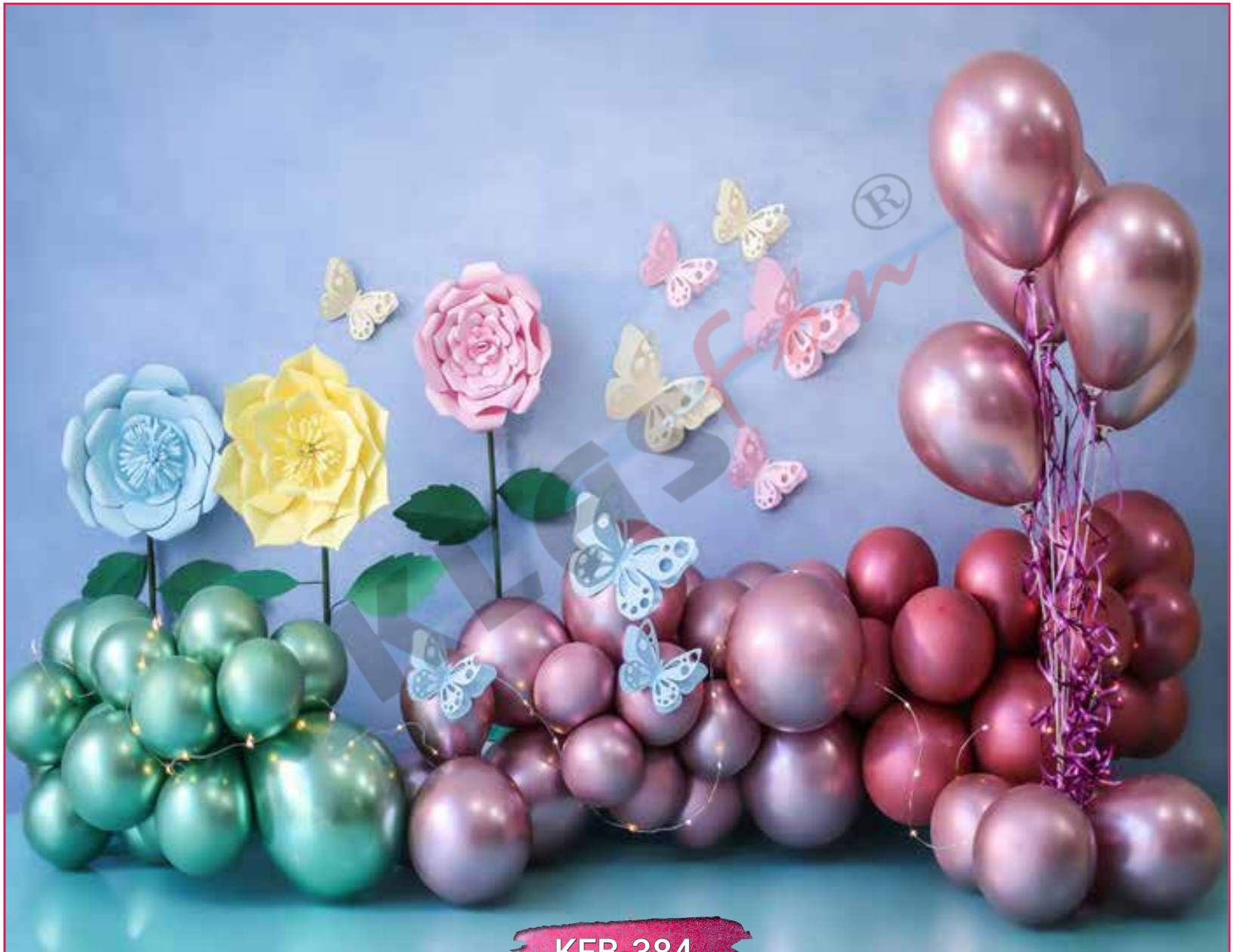




KFB-383







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KFB-387





KFB-388





KFB-389





KFB-390





KFB-391







KFB-392





KFB-393





KFB-394





KFB-395





KFB-396





KFB-397





KFB-398





KFB-399







KFB-400





KFB-401





KFB-402





KFB-403





KFB-404





KFB-405





KFB-406





KFB-407







KFB-408





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KFB-412





KFB-413





KFB-414





KFB-415







KFB-416





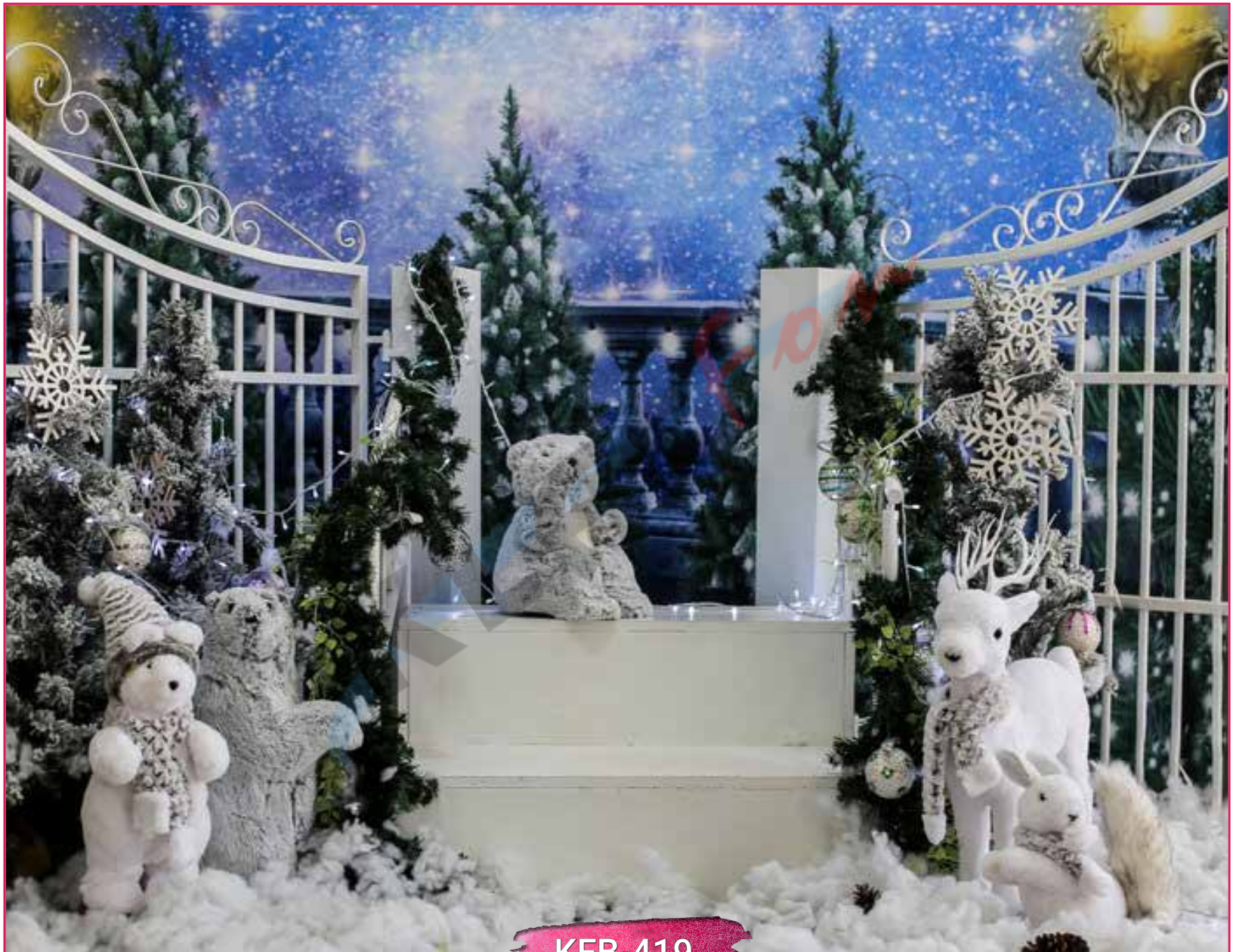
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KFB-420





KFB-327





KFB-328





KFB-329







KFB-330





KFB-331





KFB-332





KFB-333





KFB-334





KFB-335





KFB-336





KFB-337







KFB-338





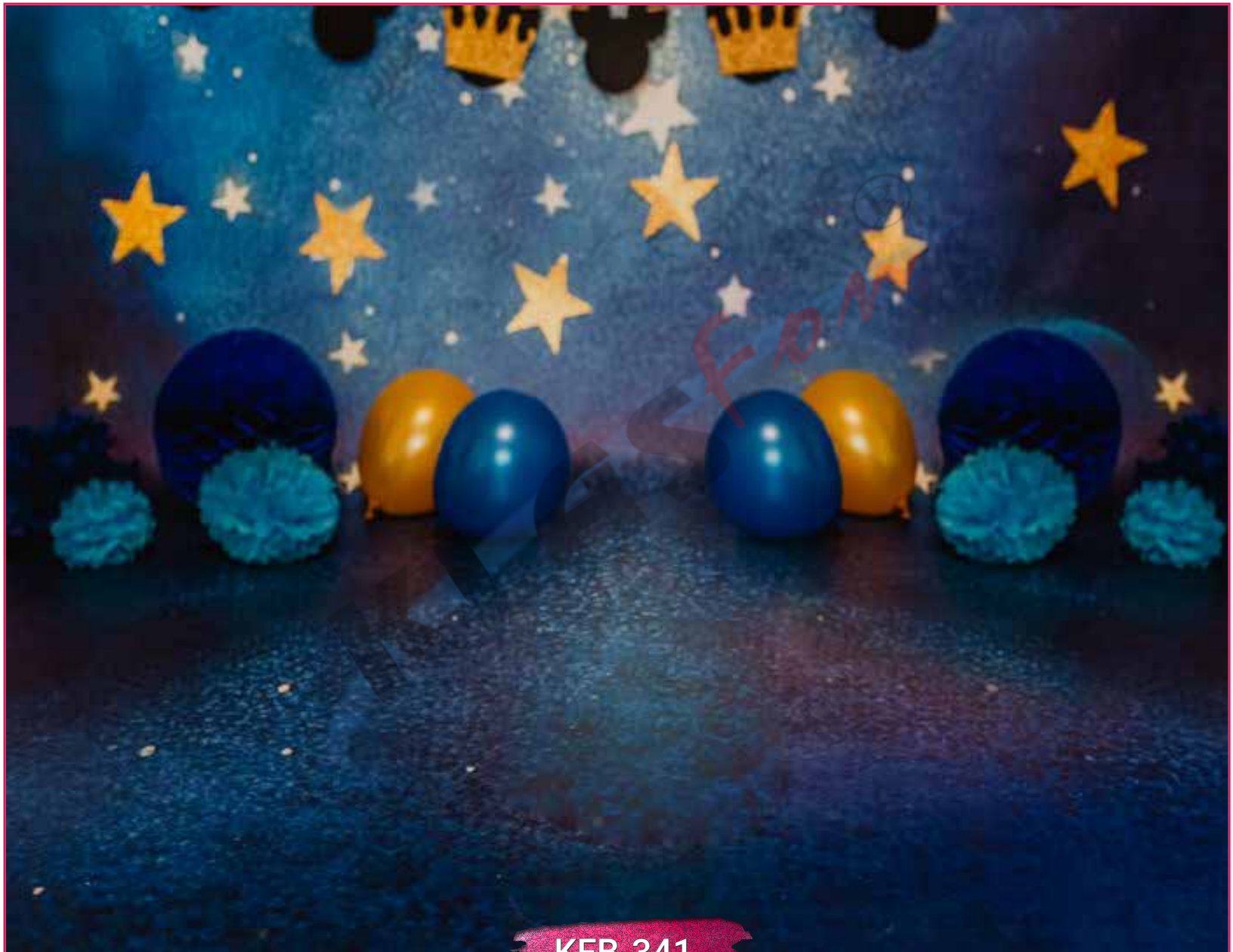
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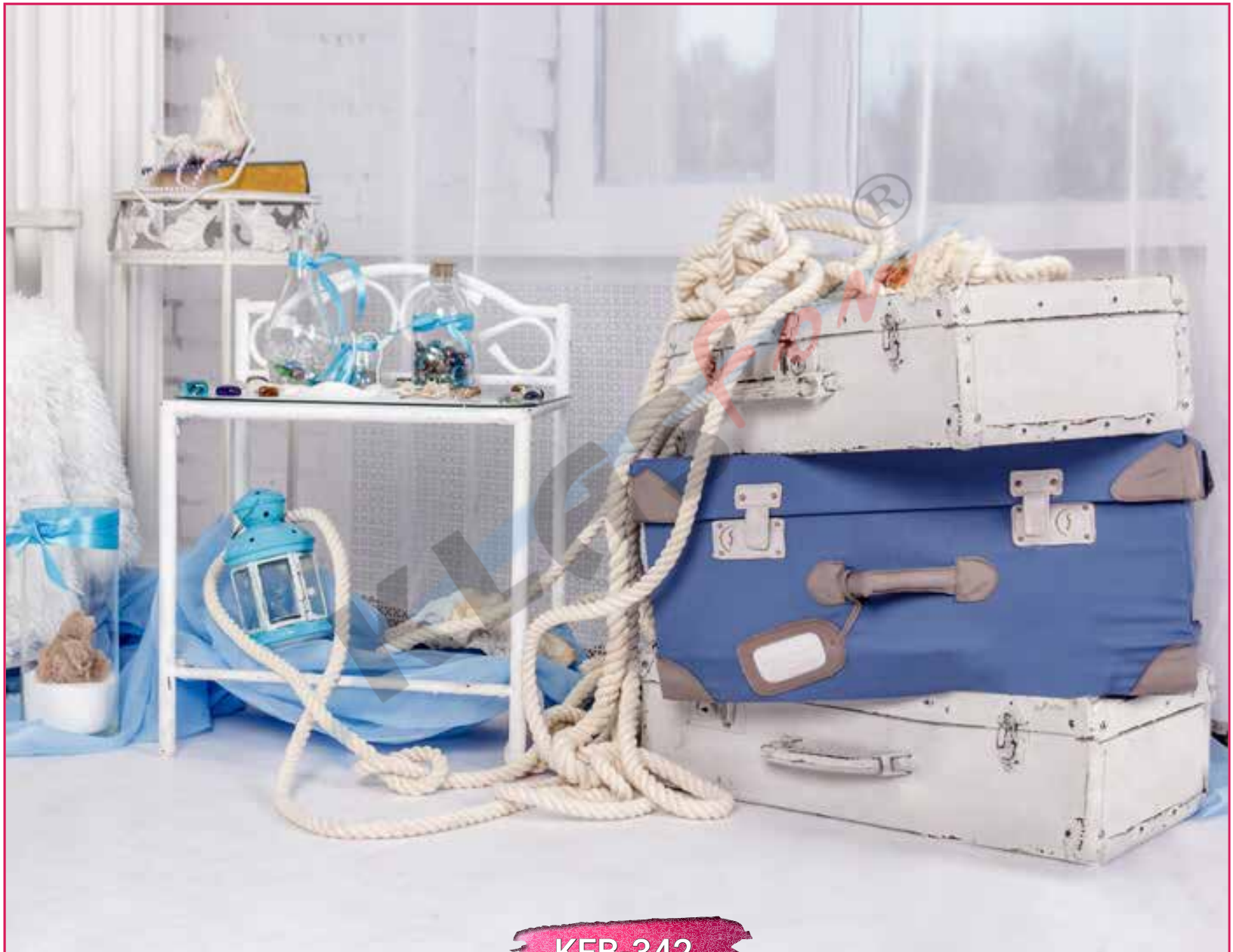
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KFB-342





KFB-343





KFB-344





KFB-345







KFB-346





KFB-347





KFB-348





KFB-349





KFB-350





KFB-351





KFB-352





KFB-353

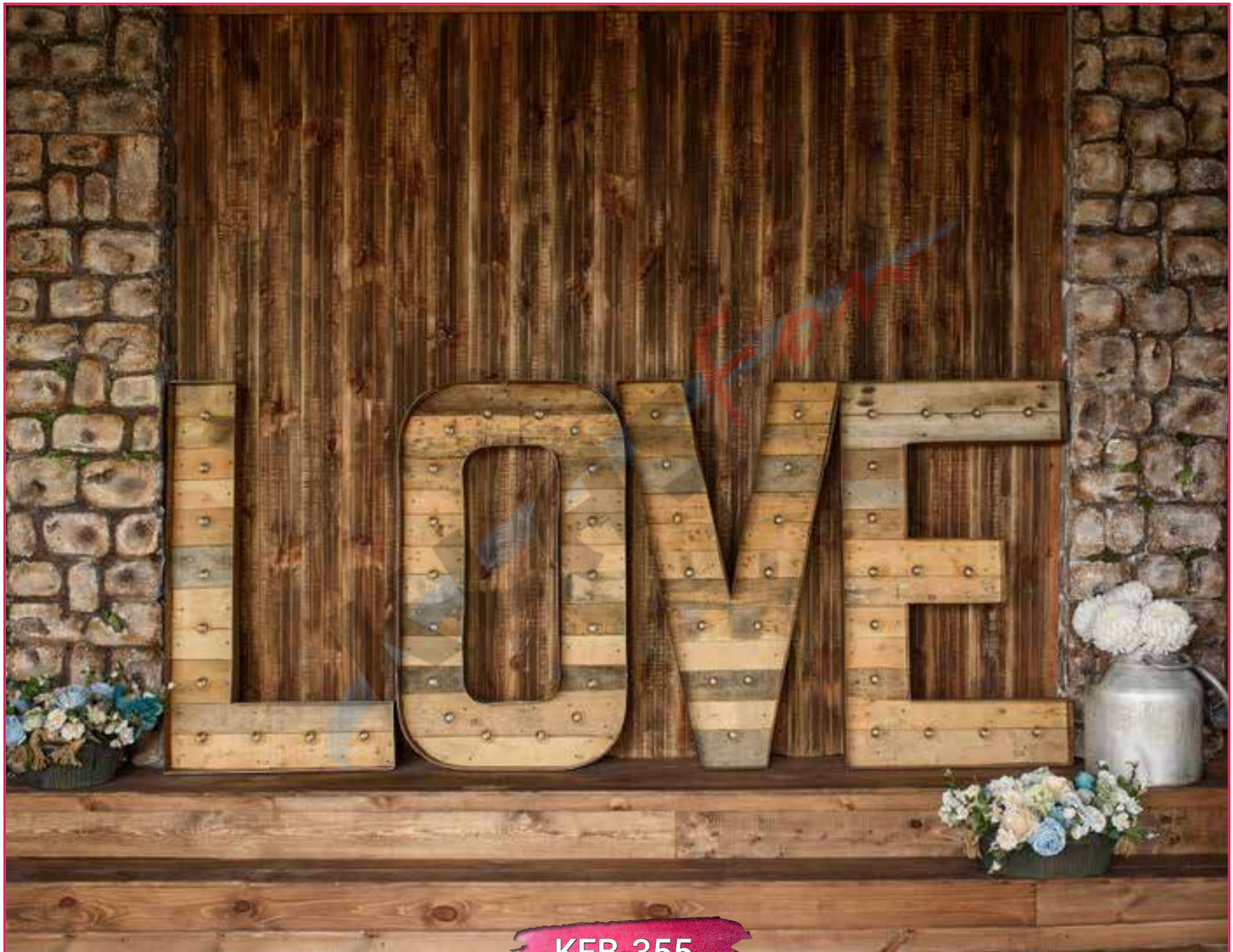






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KFB-355





KFB-356





KFB-357





KFB-358





KFB-359





KFB-360





KFB-361







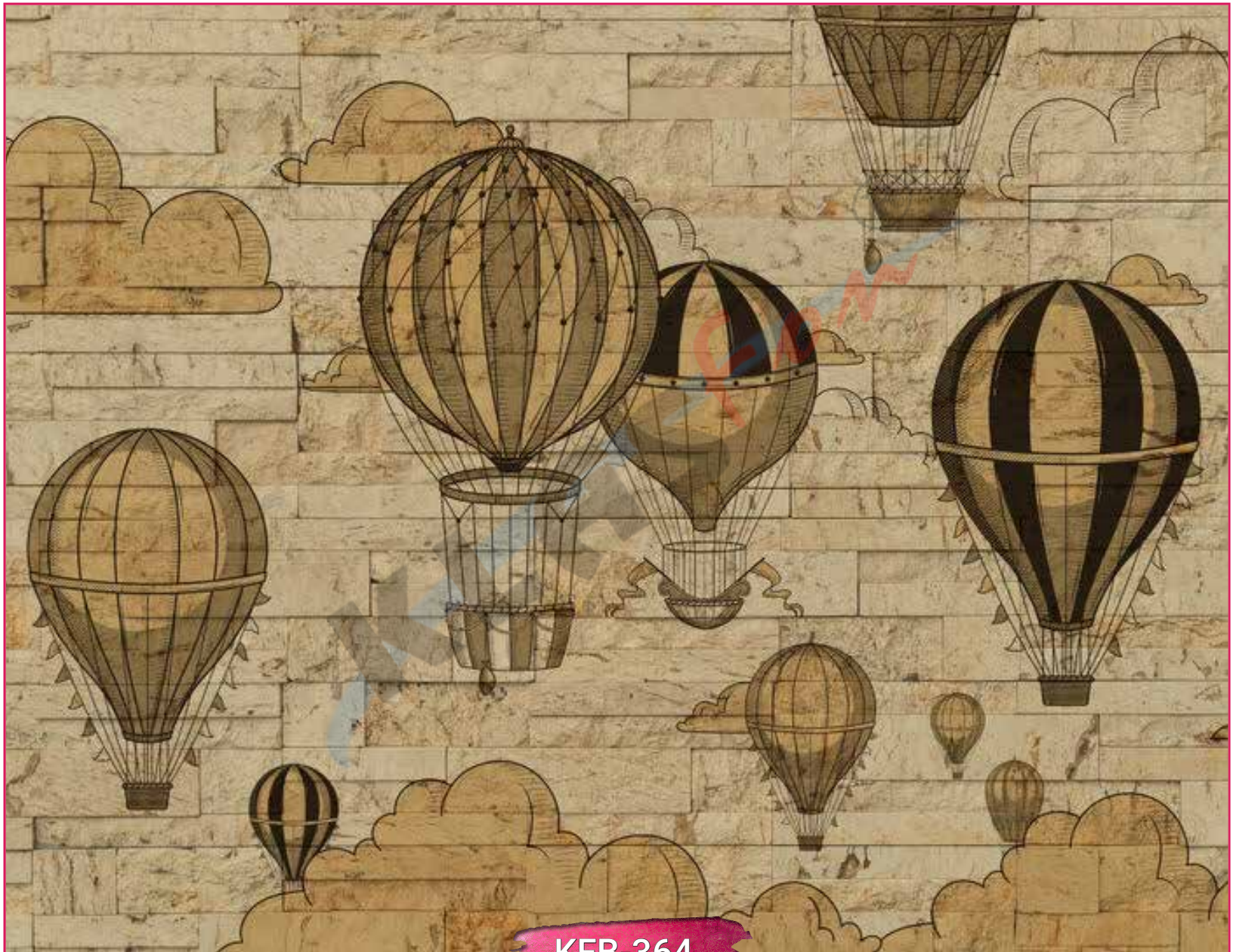
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KFB-364





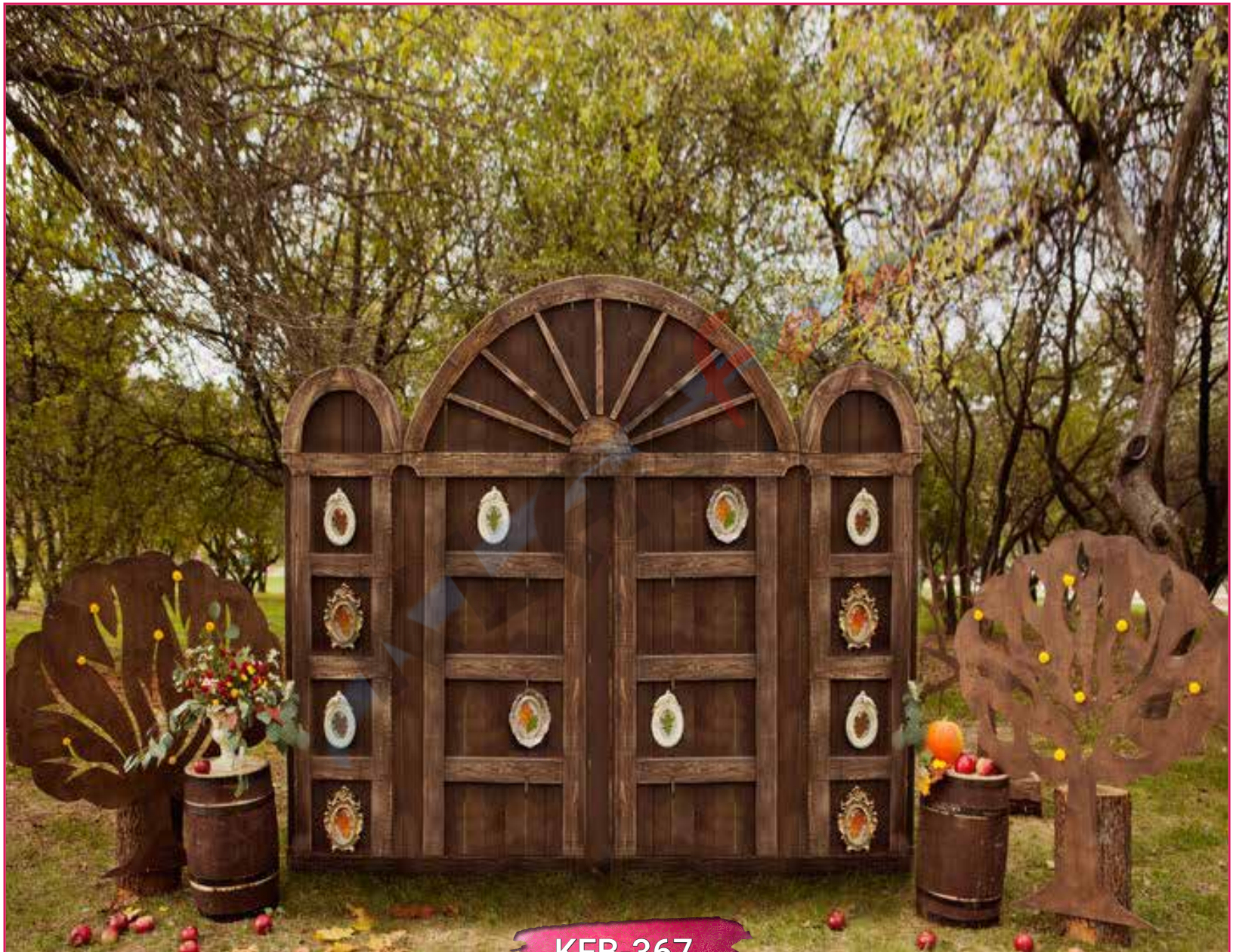
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KFB-367





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KFB-369







KFB-370





KFB-371





KFB-372





KFB-373





KFB-374





KFB-375





KFB-376





KFB-377







KFB-279





KFB-280





KFB-281





KFB-282





KFB-283





KFB-284





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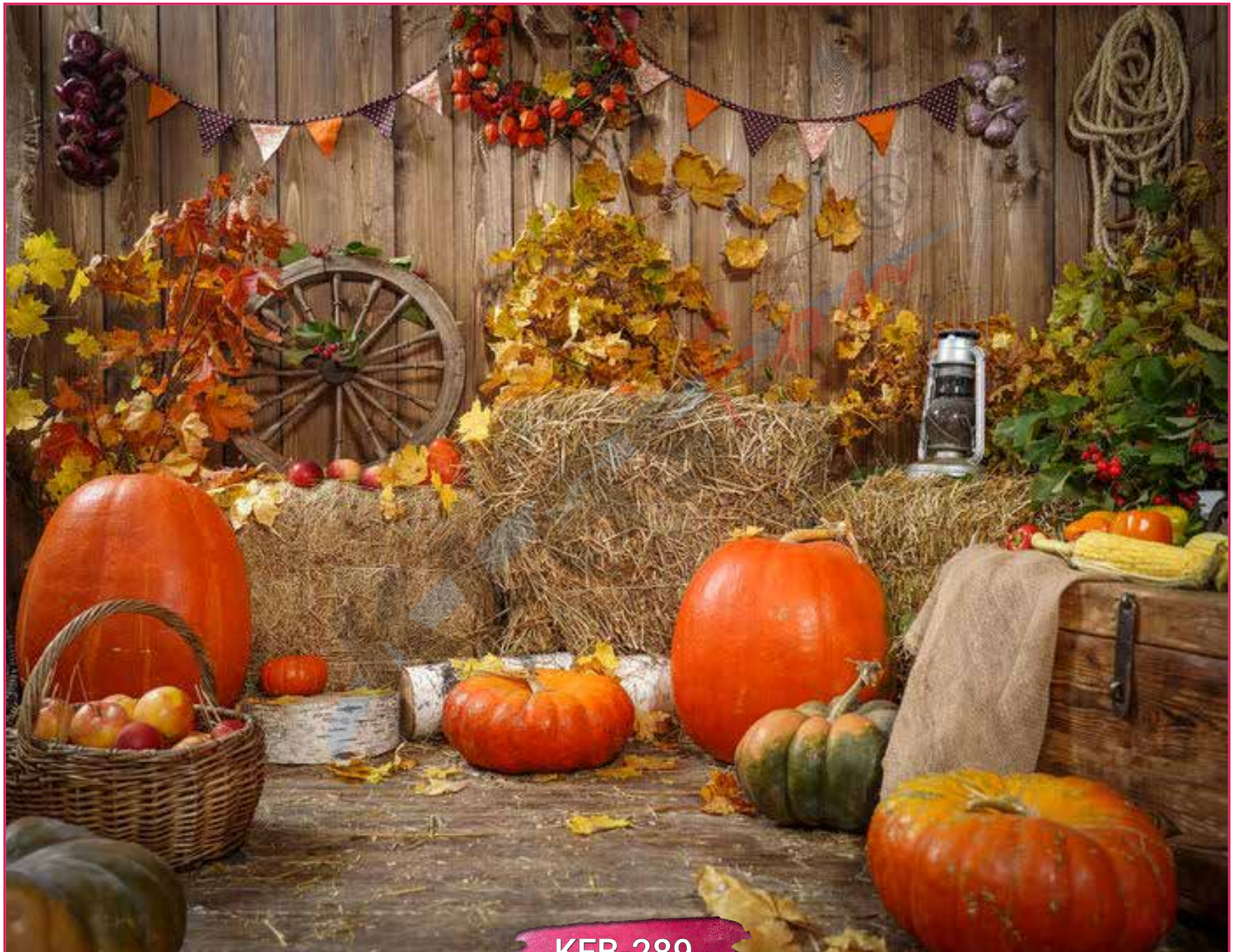
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KFB-289





KFB-290





KFB-291





KFB-292





KFB-293





KFB-294







KFB-295





KFB-296





KFB-297





KFB-298





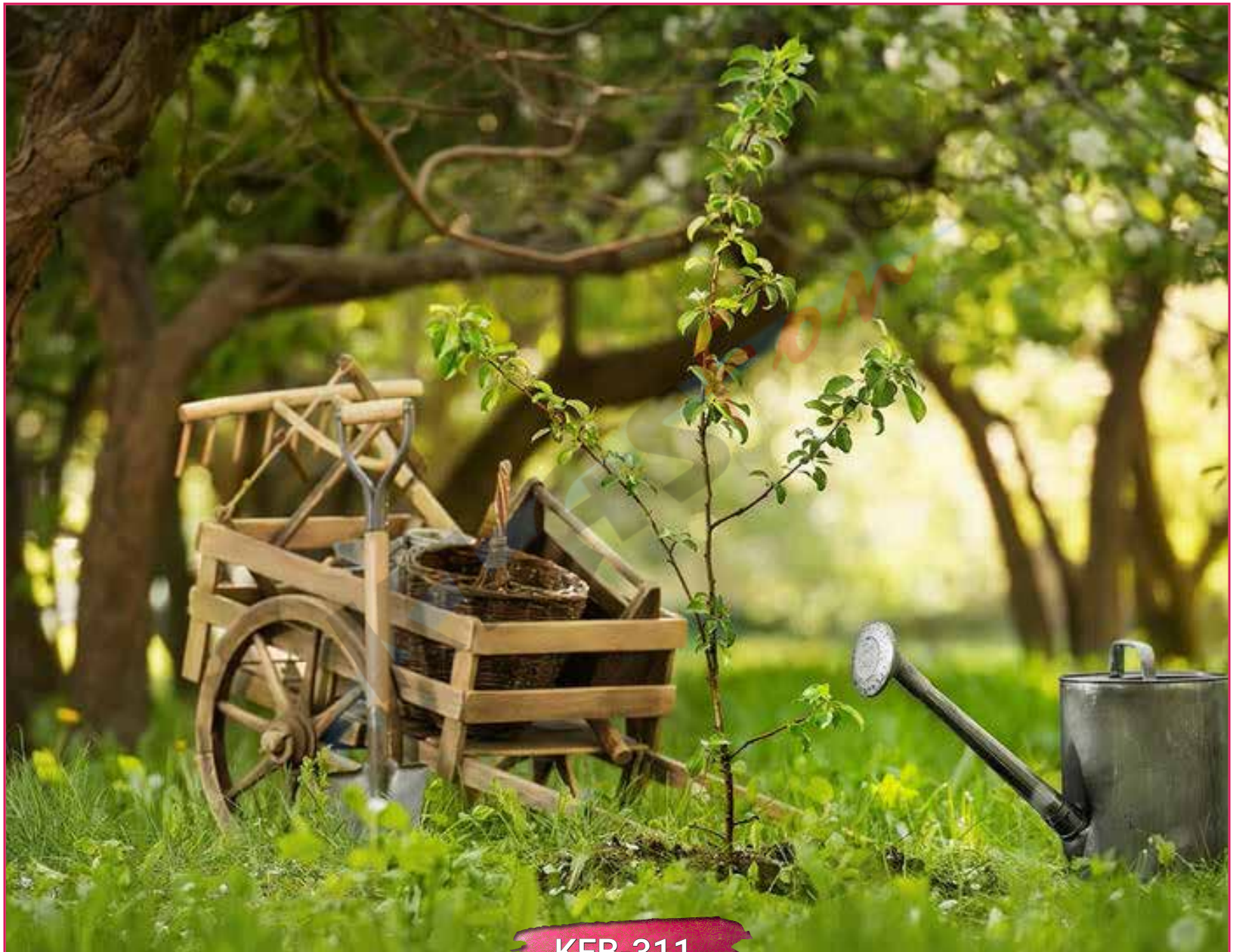
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KFB-310





KFB-311

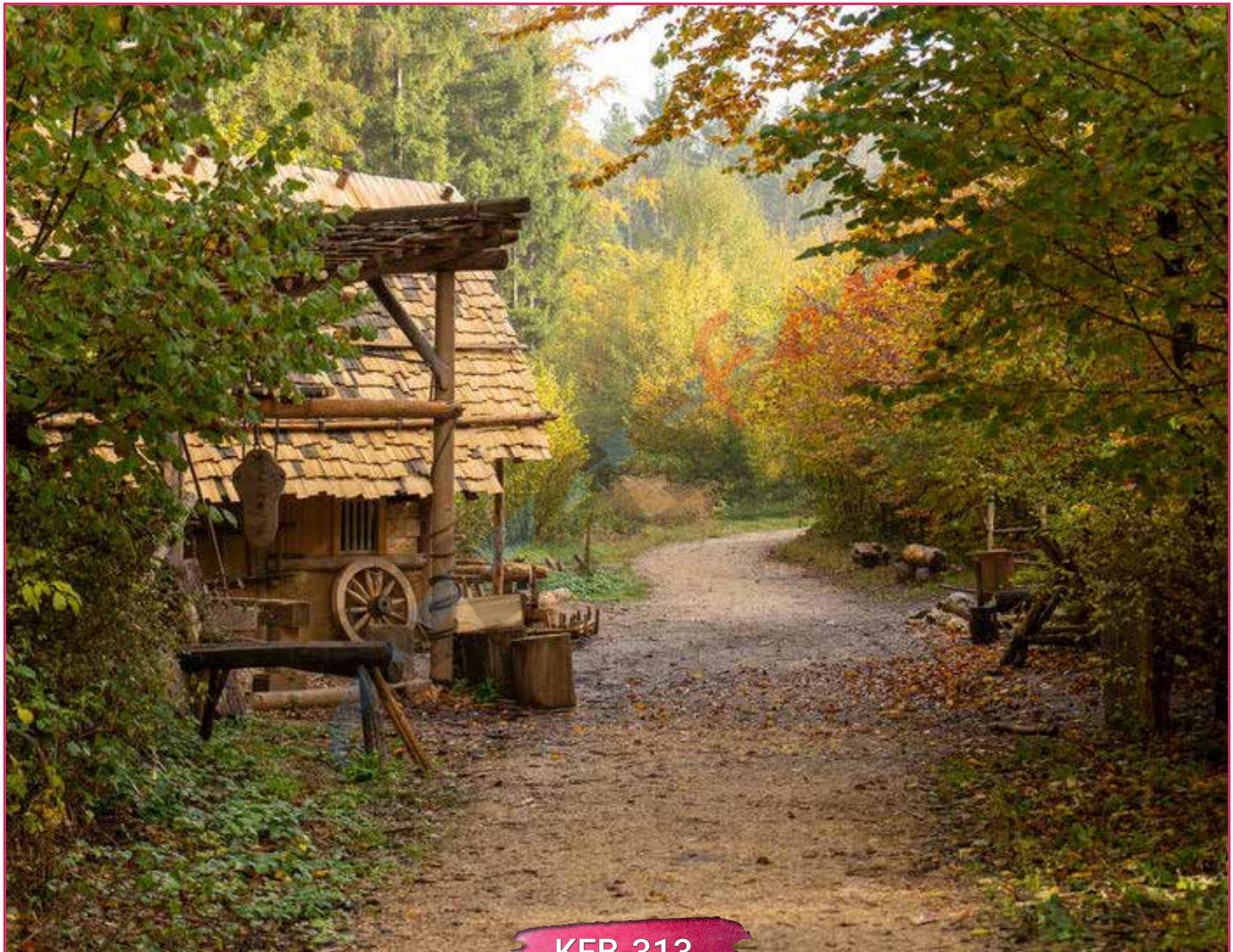




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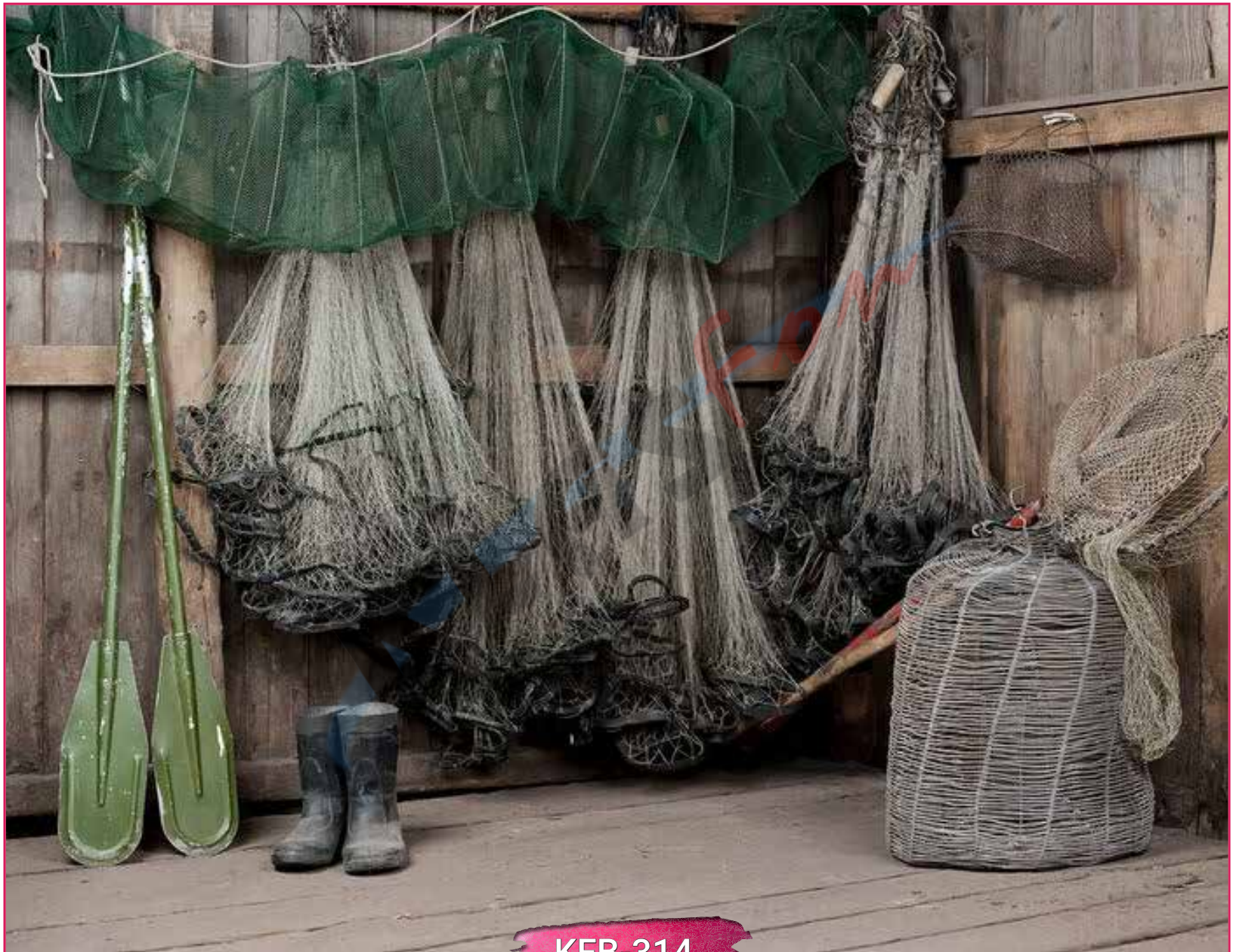






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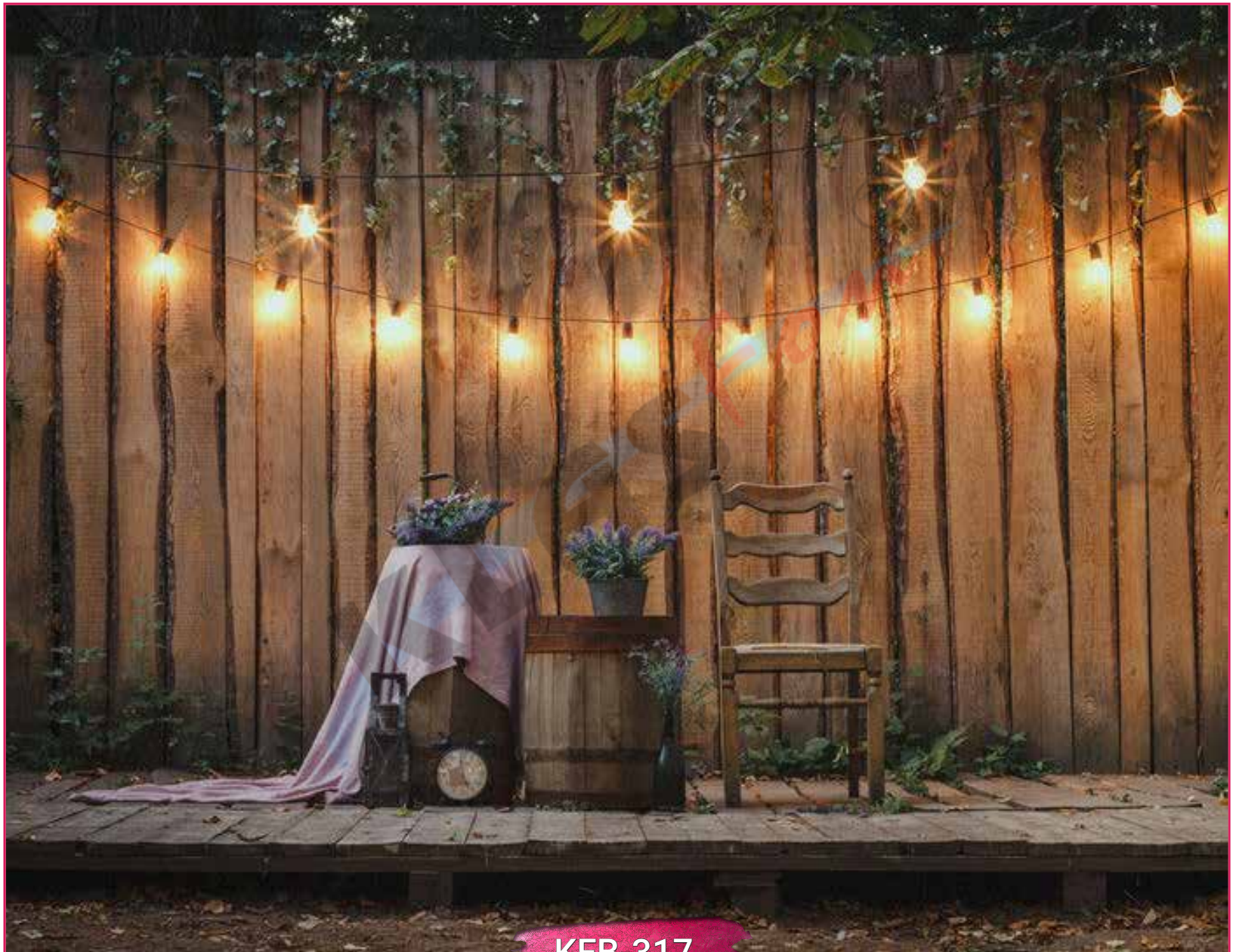
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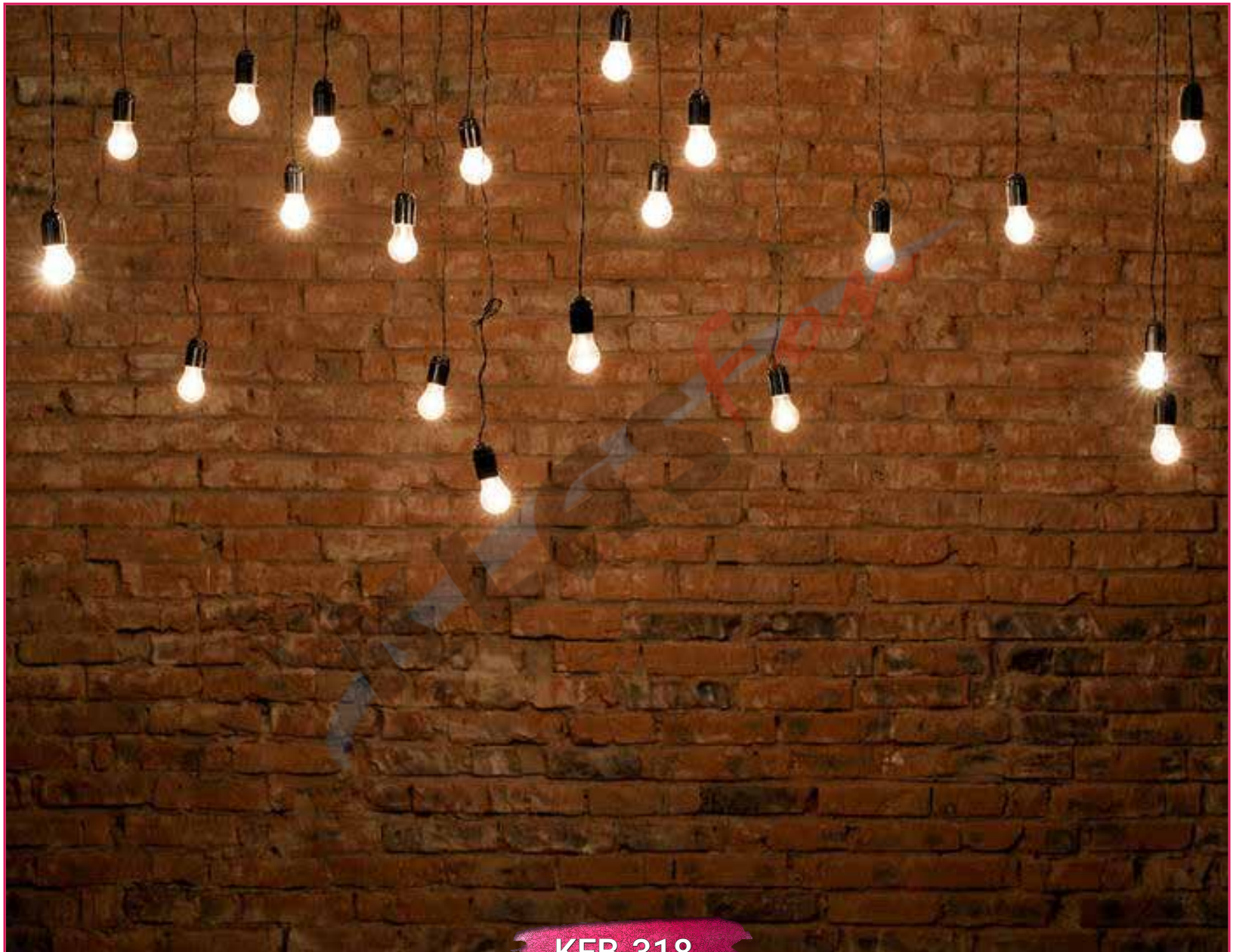
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KFB-317





KFB-318





KFB-319





KFB-320







KFB-321





KFB-322





KFB-323





KFB-324





KFB-325





KFB-326





KFB-101





KFB-102







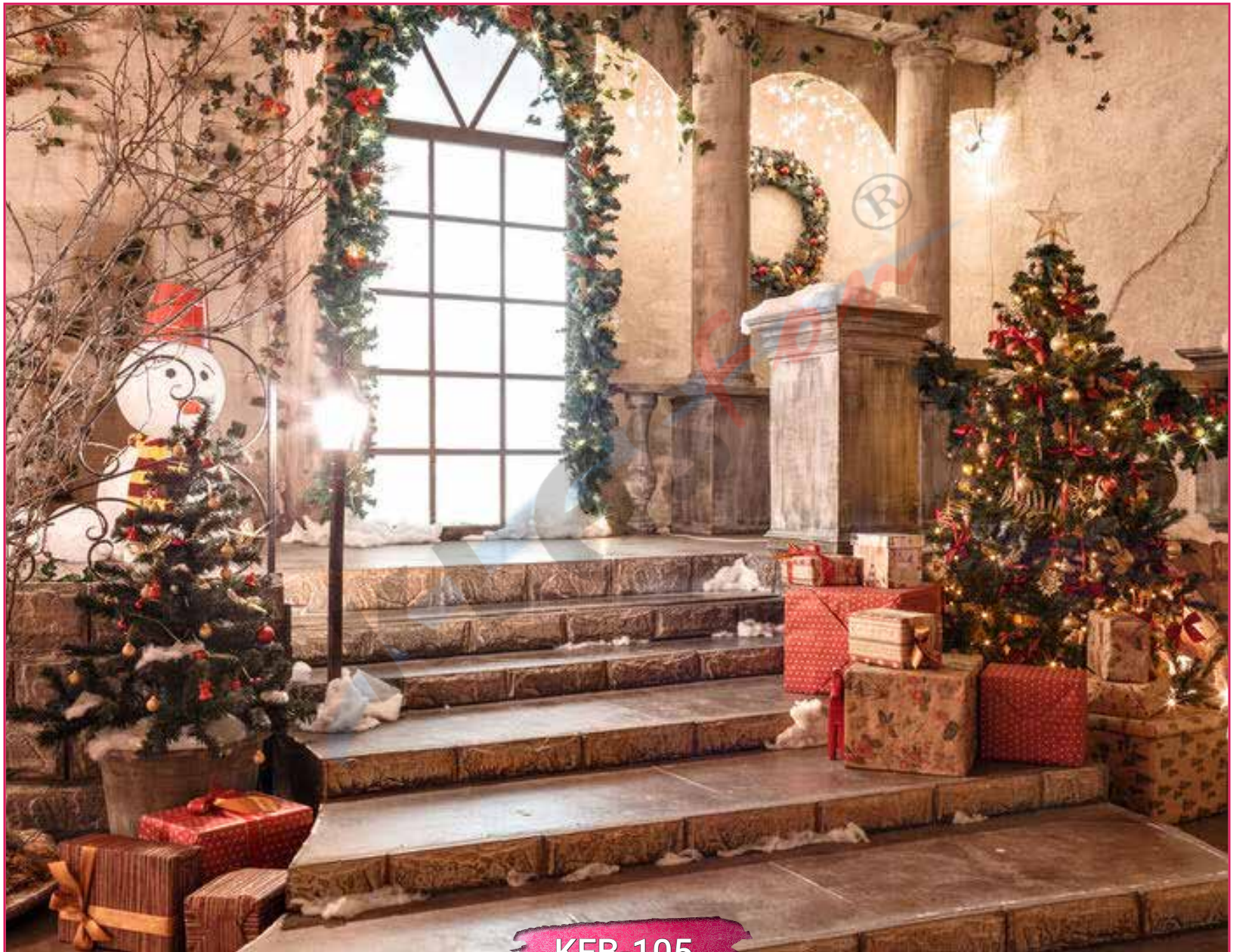
KFB-103





KFB-104





KFB-105





KFB-106





KFB-108





KFB-109





KFB-110



# SUMMER

HOME  
Sweet  
HOME

ENJOY  
TODAY

LO  
VE



KFB-111



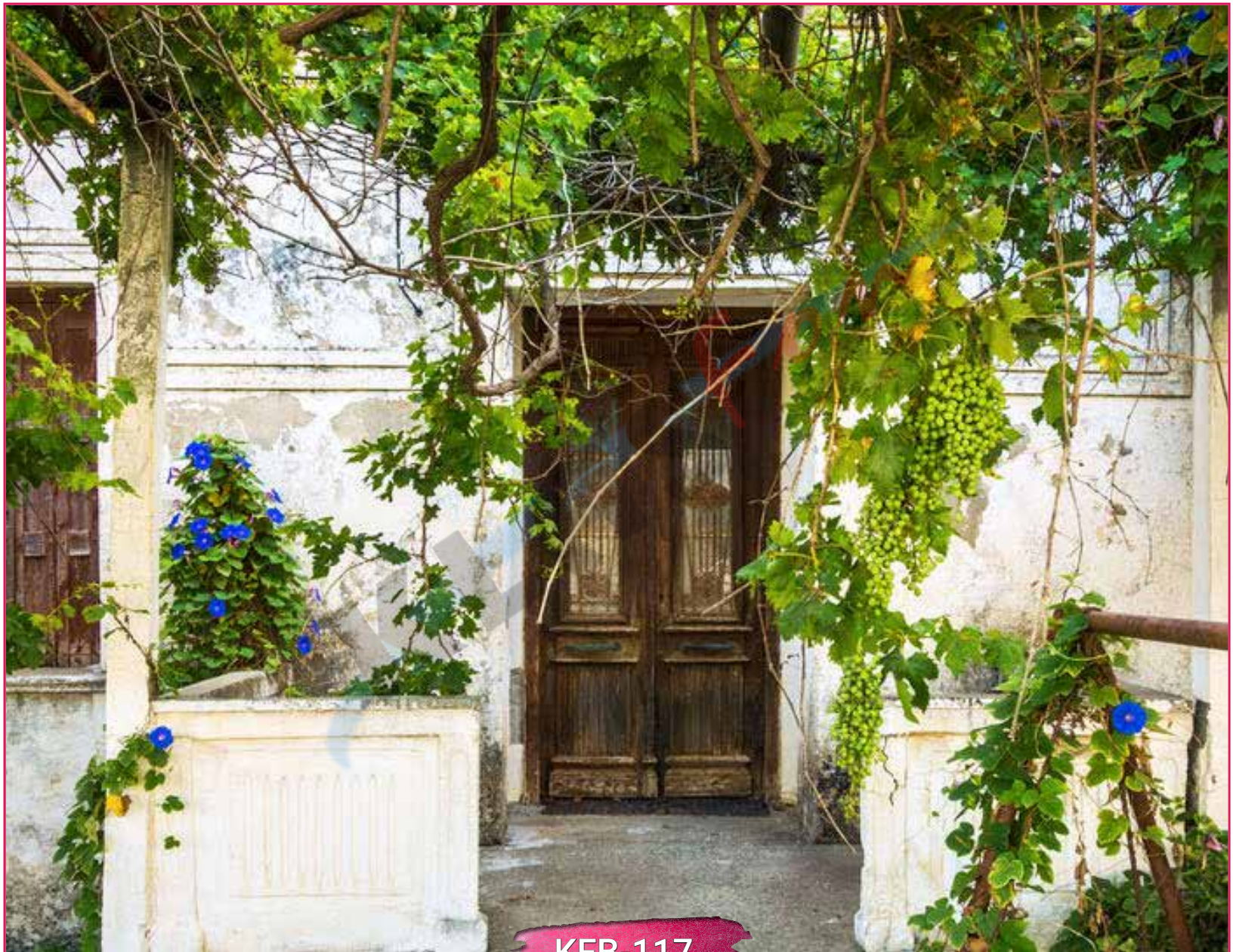


# SMALL BARN

COWBOYS

KFB-112





KFB-117





KFB-120





KFB-122





KFB-123





KFB-124





KFB-126

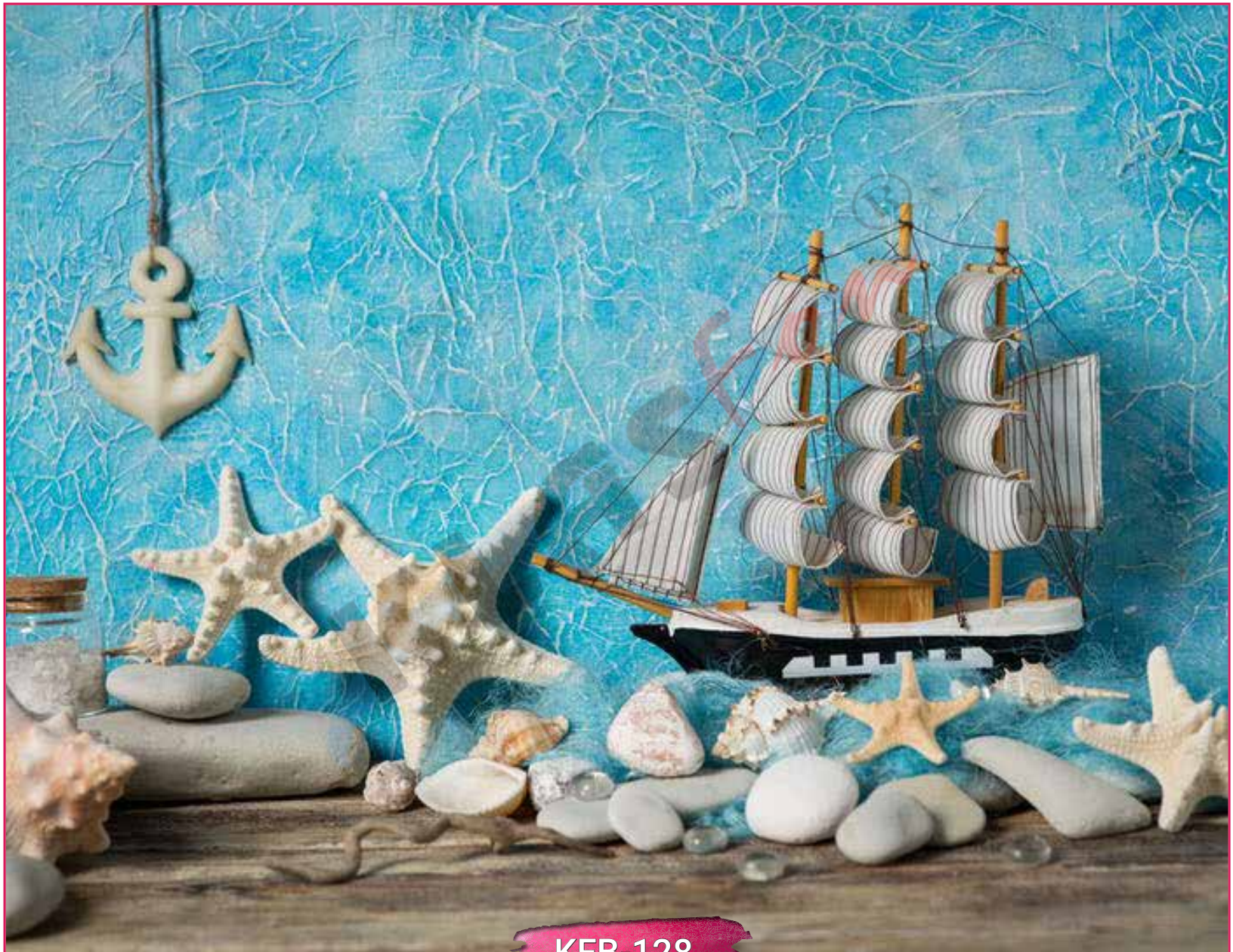




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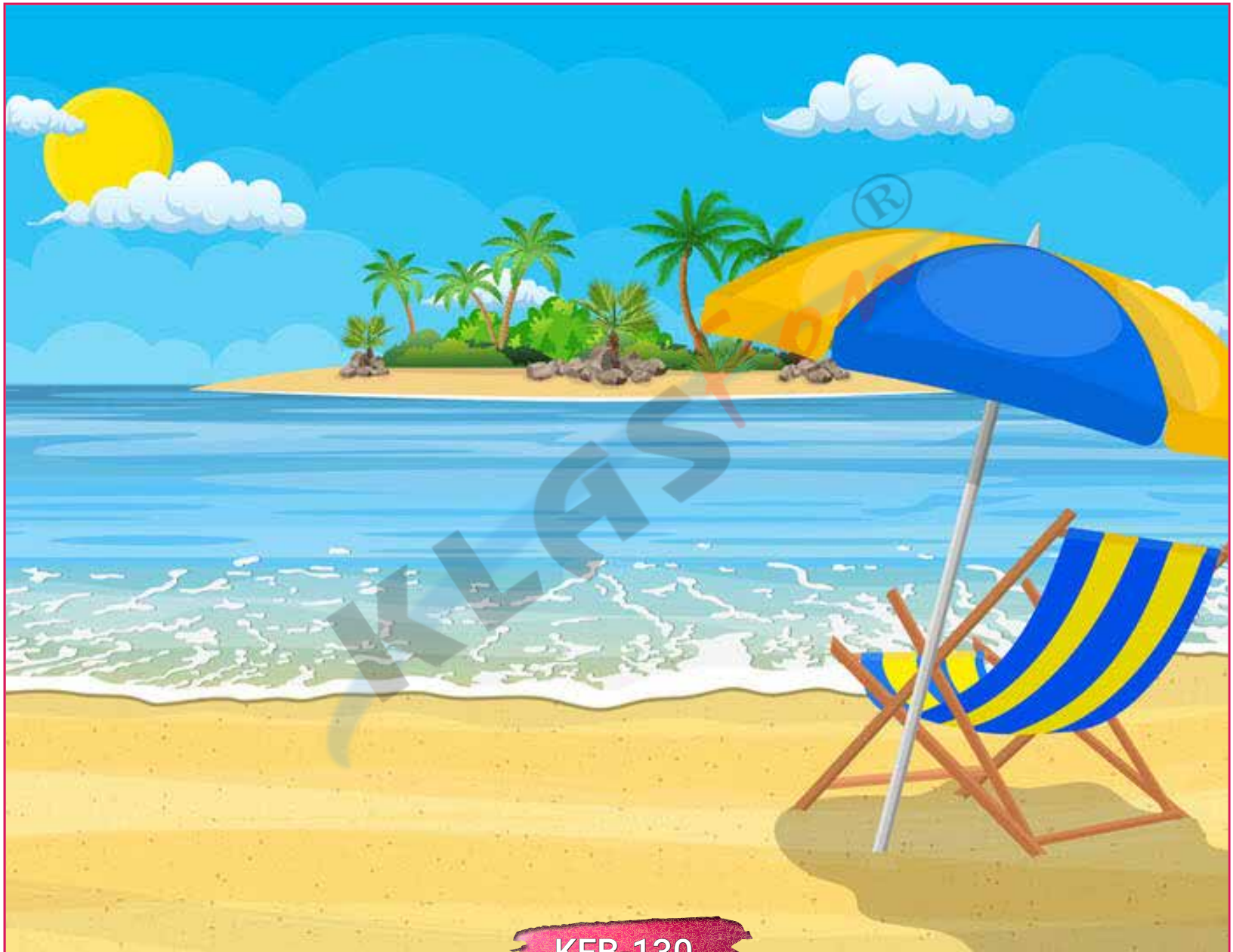
KFB-128





KFB-129





KFB-130





KFB-131





KFB-132





KFB-133





KFB-134



Easter Bunny...  
**STOP HERE!**

Hippity hoppity

Happy

Easter

Easter Bunny  
Please Stop  
Here

welcome  
**SPRING**

KFB-135







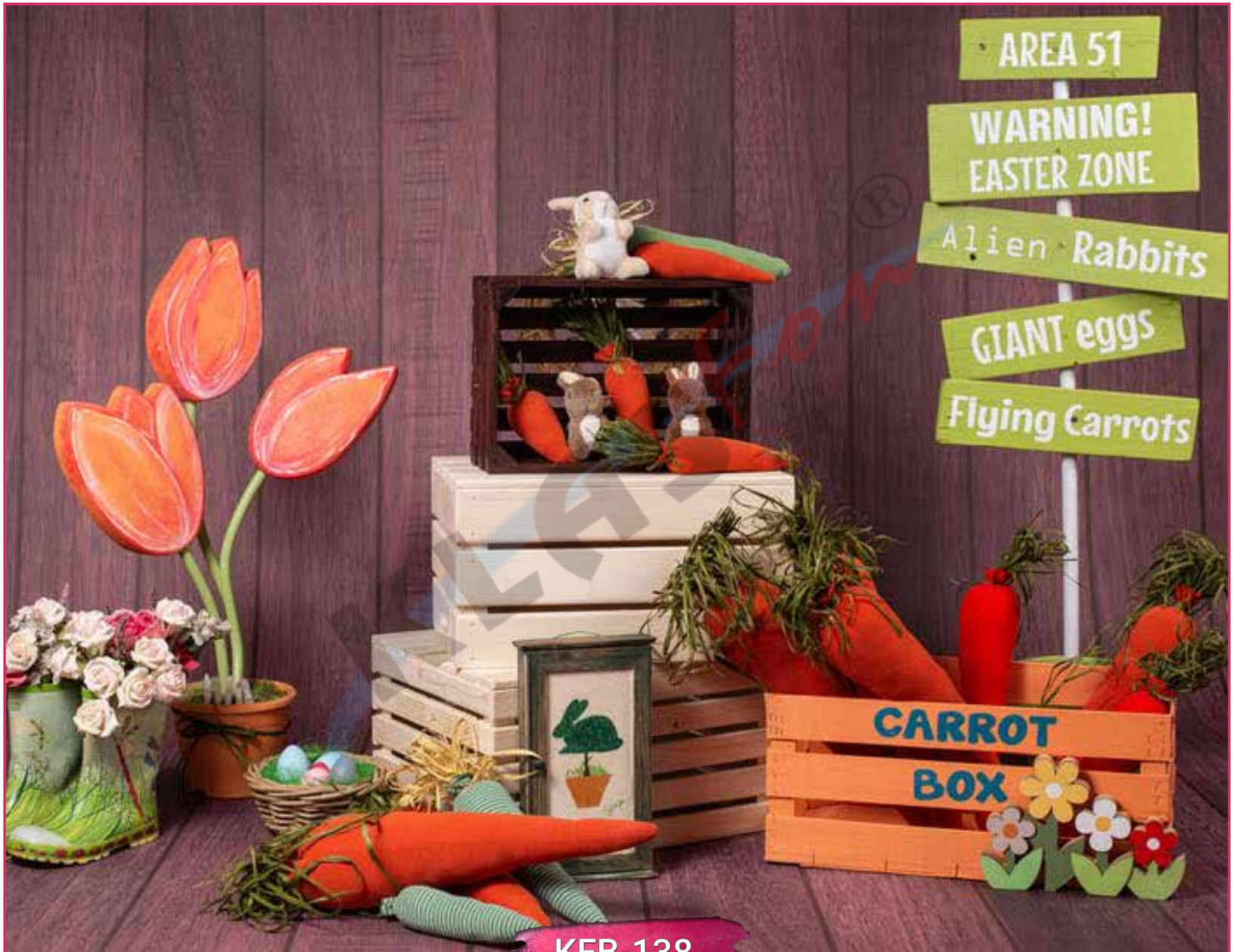
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KFB-137





KFB-138





KFB-139





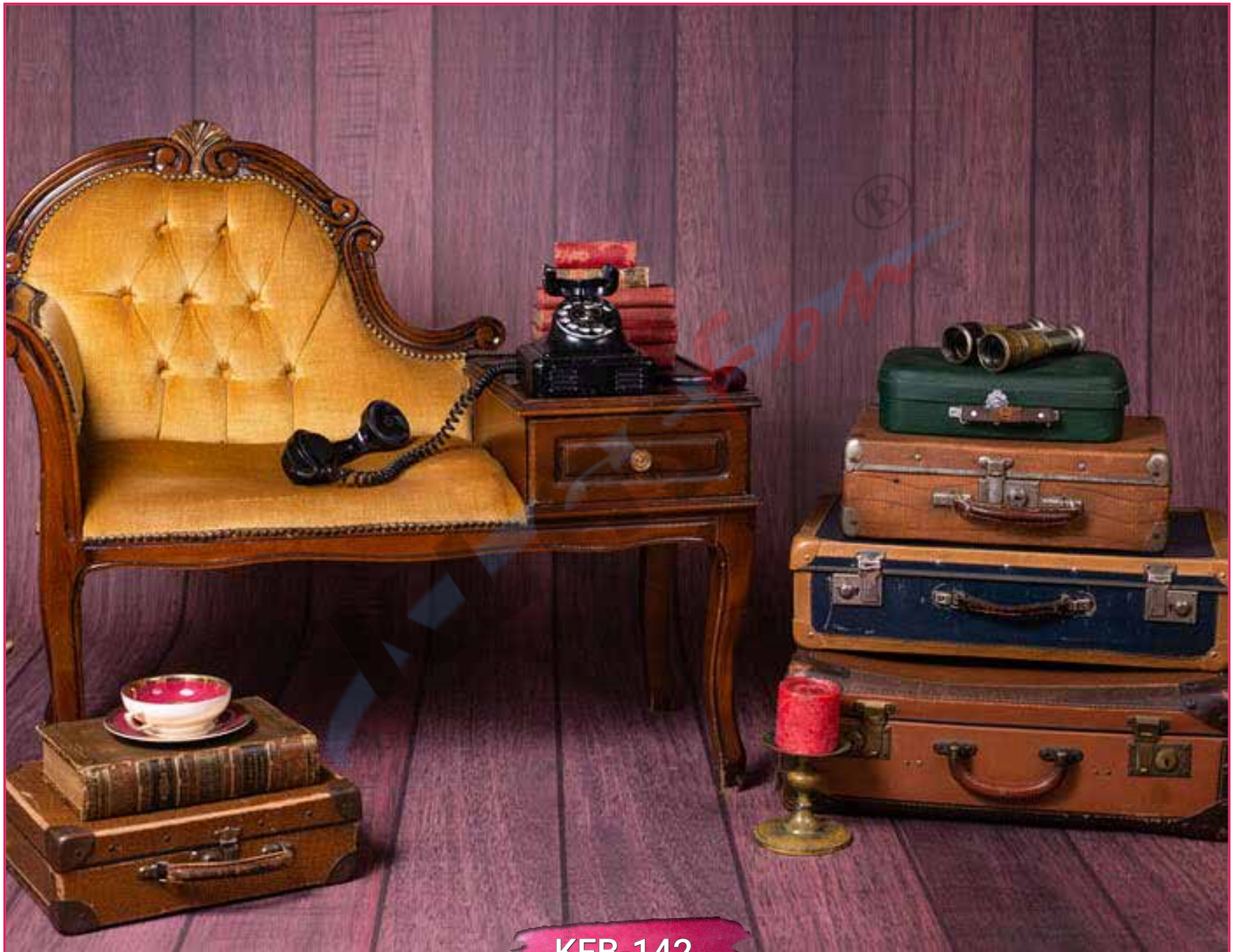
KFB-140





KFB-141





KFB-142





KFB-143







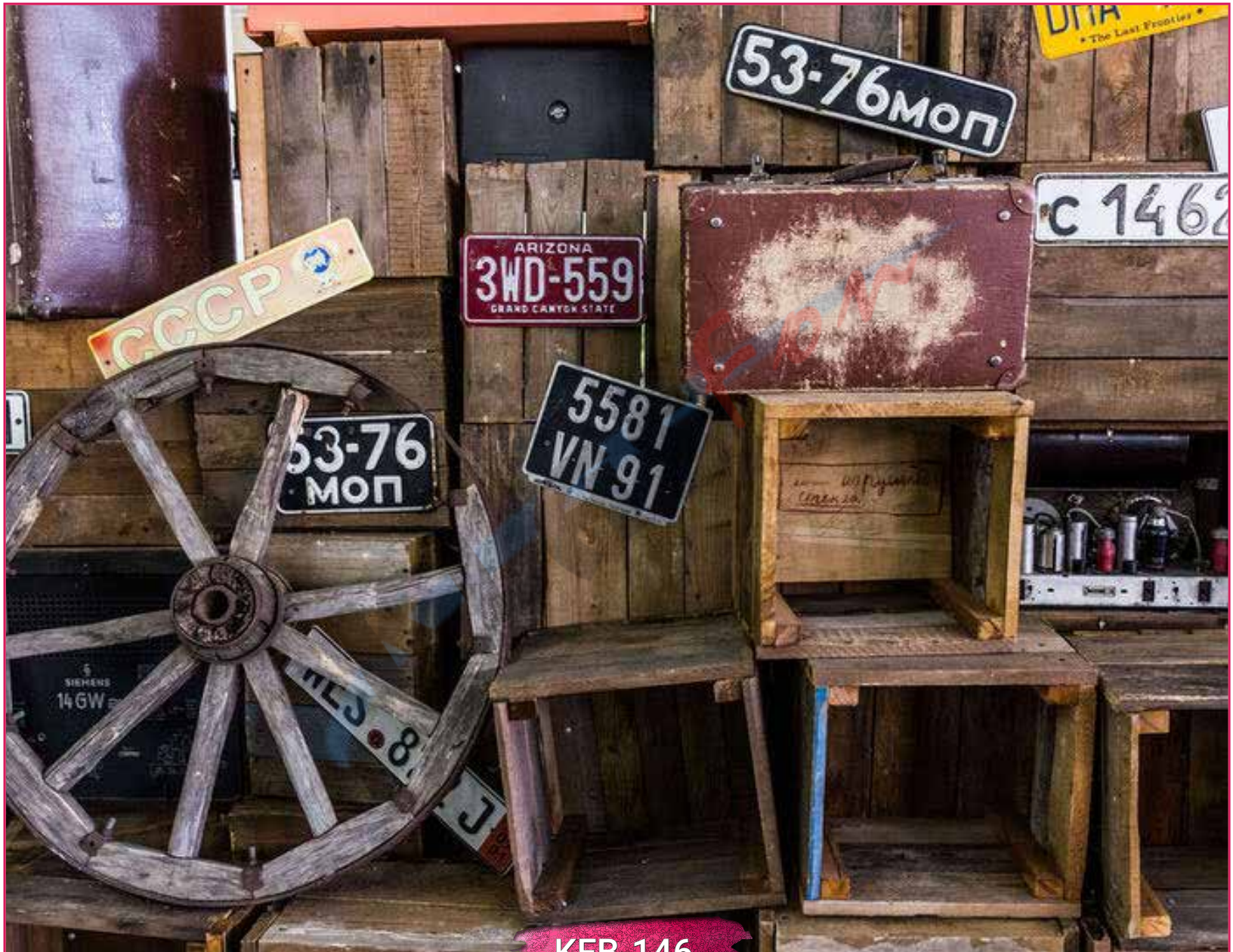
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KFB-145





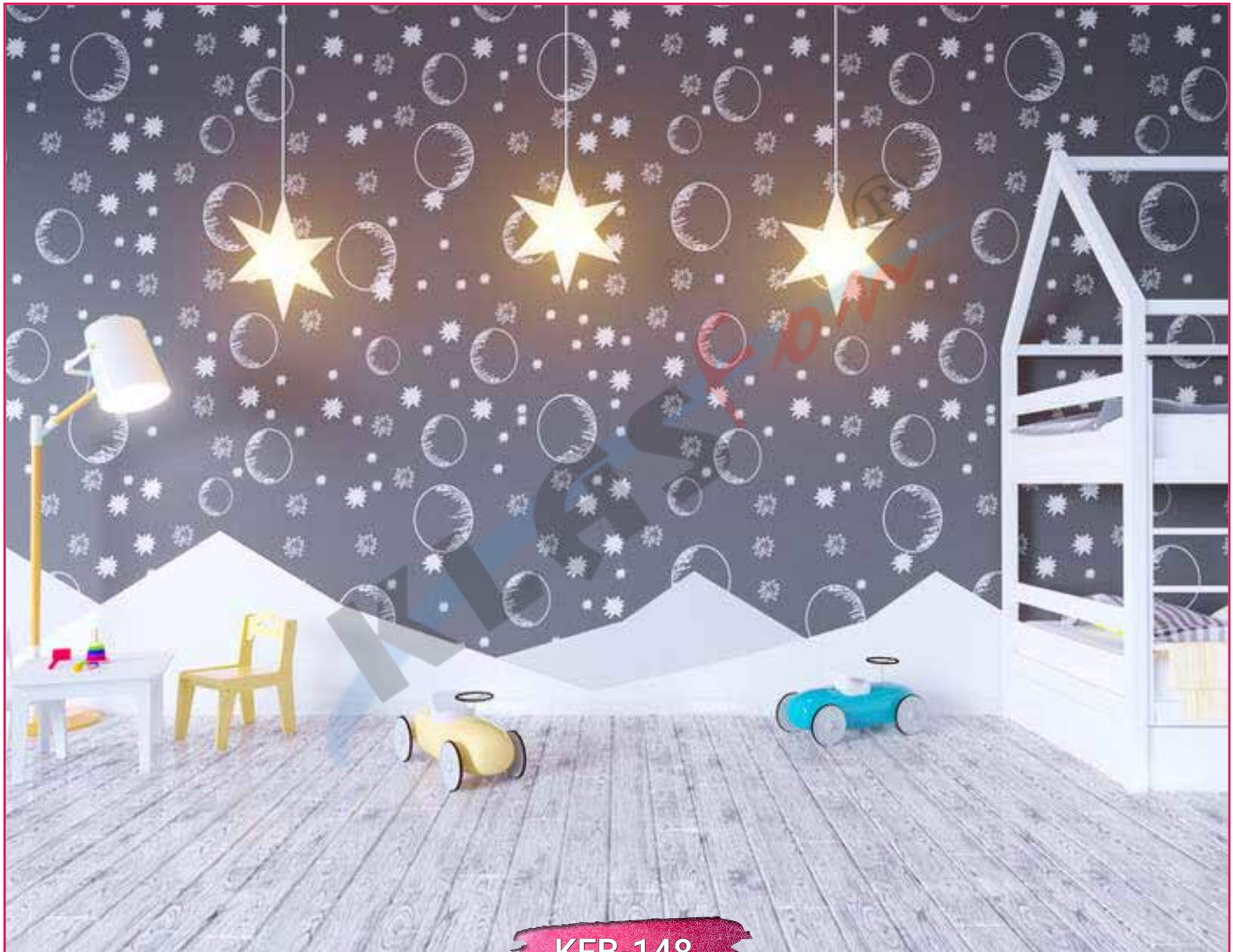
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KFB-147





KFB-148





KFB-149





KLASFOR<sup>®</sup>

KFB-150

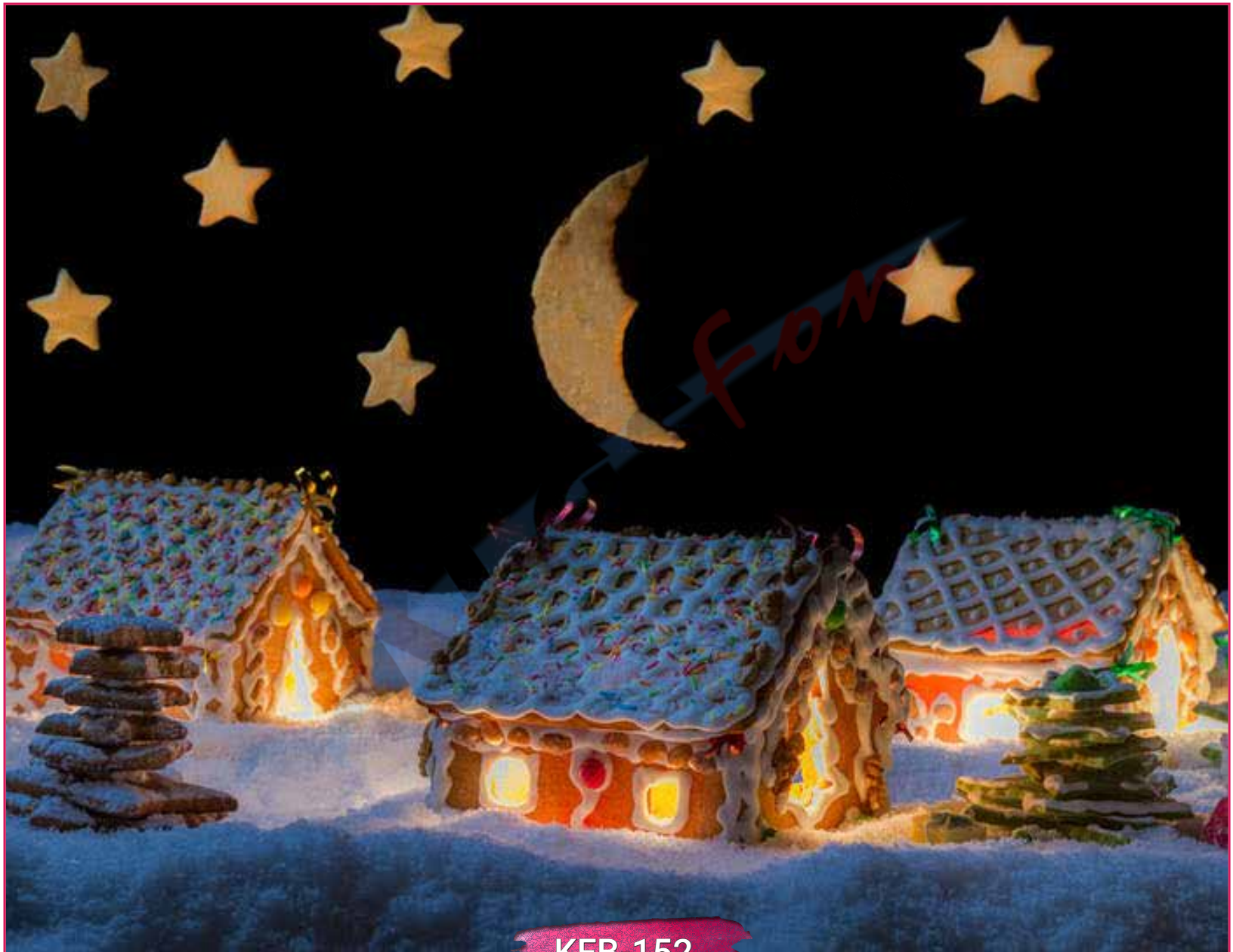




KFB-151







KFB-152





KFB-153





KFB-155





KFB-156





KFB-157





KFB-158





KFB-159





KFB-160







KFB-161





KFB-162





KFB-163





KFB-165





KFB-166





KFB-168





KFB-169





KFB-170







KFB-171





KFB-172





KFB-173





KFB-174





KFB-175





KFB-176





KFB-177





KFB-178







KFB-179





KFB-180





KFB-185





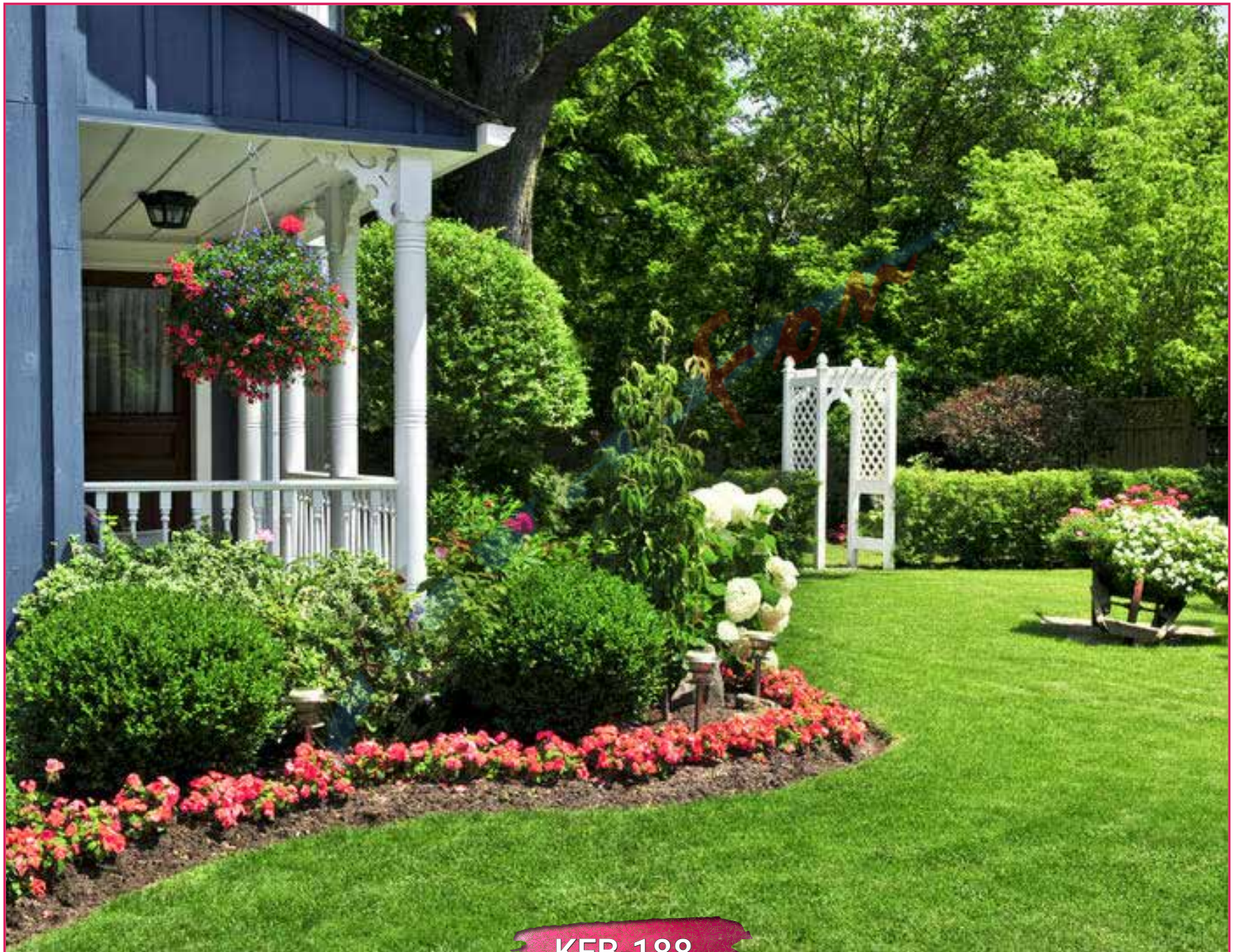
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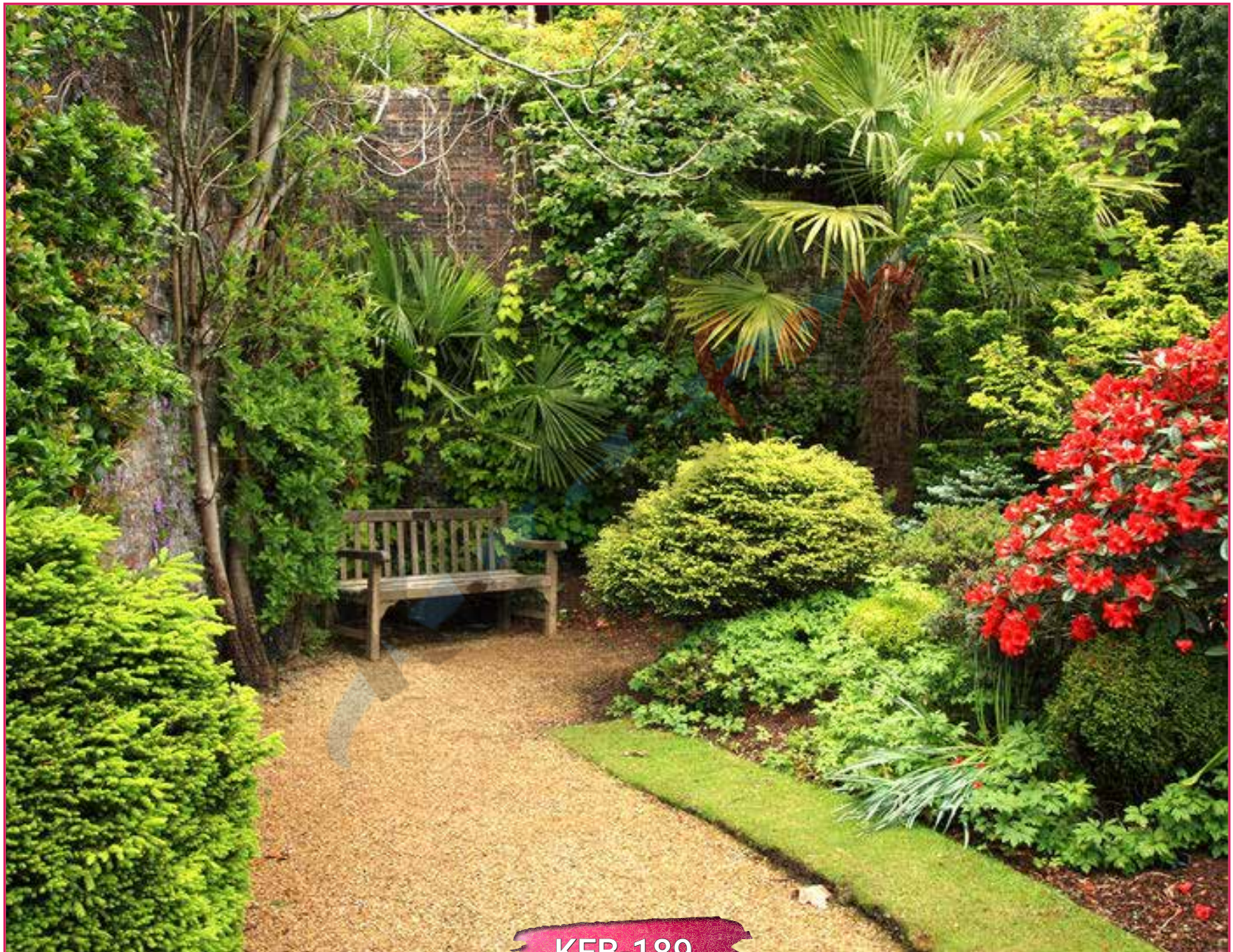
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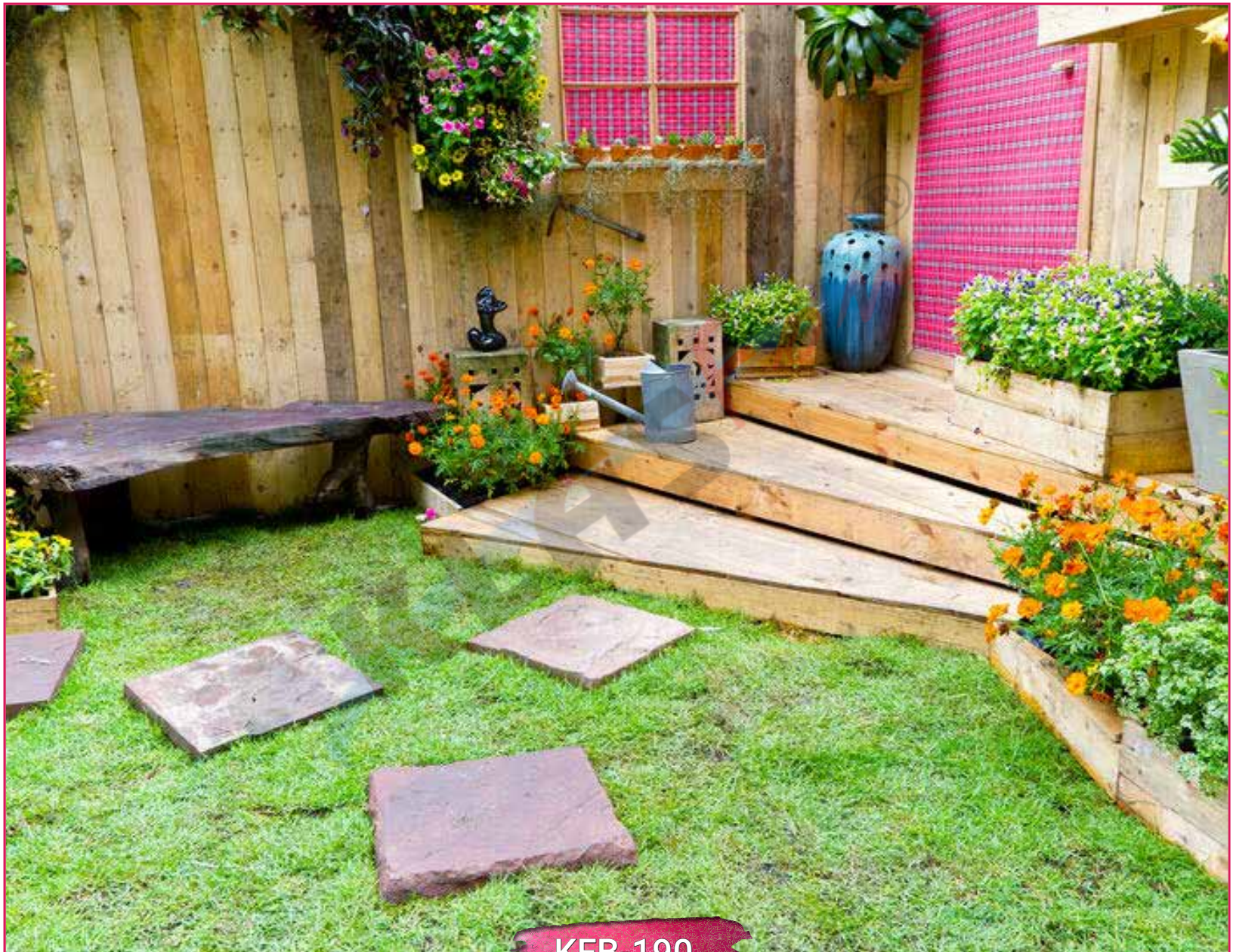
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KFB-189

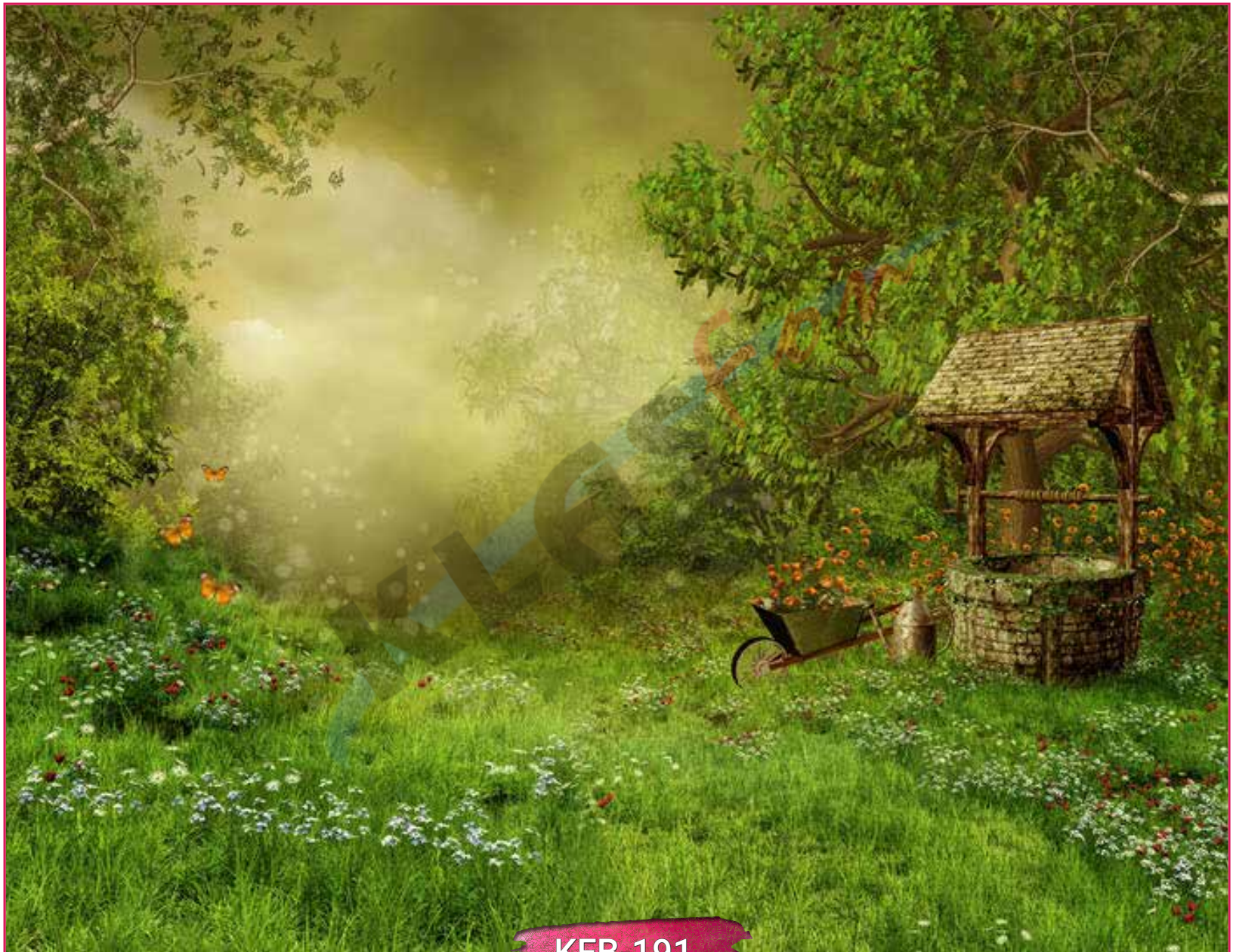




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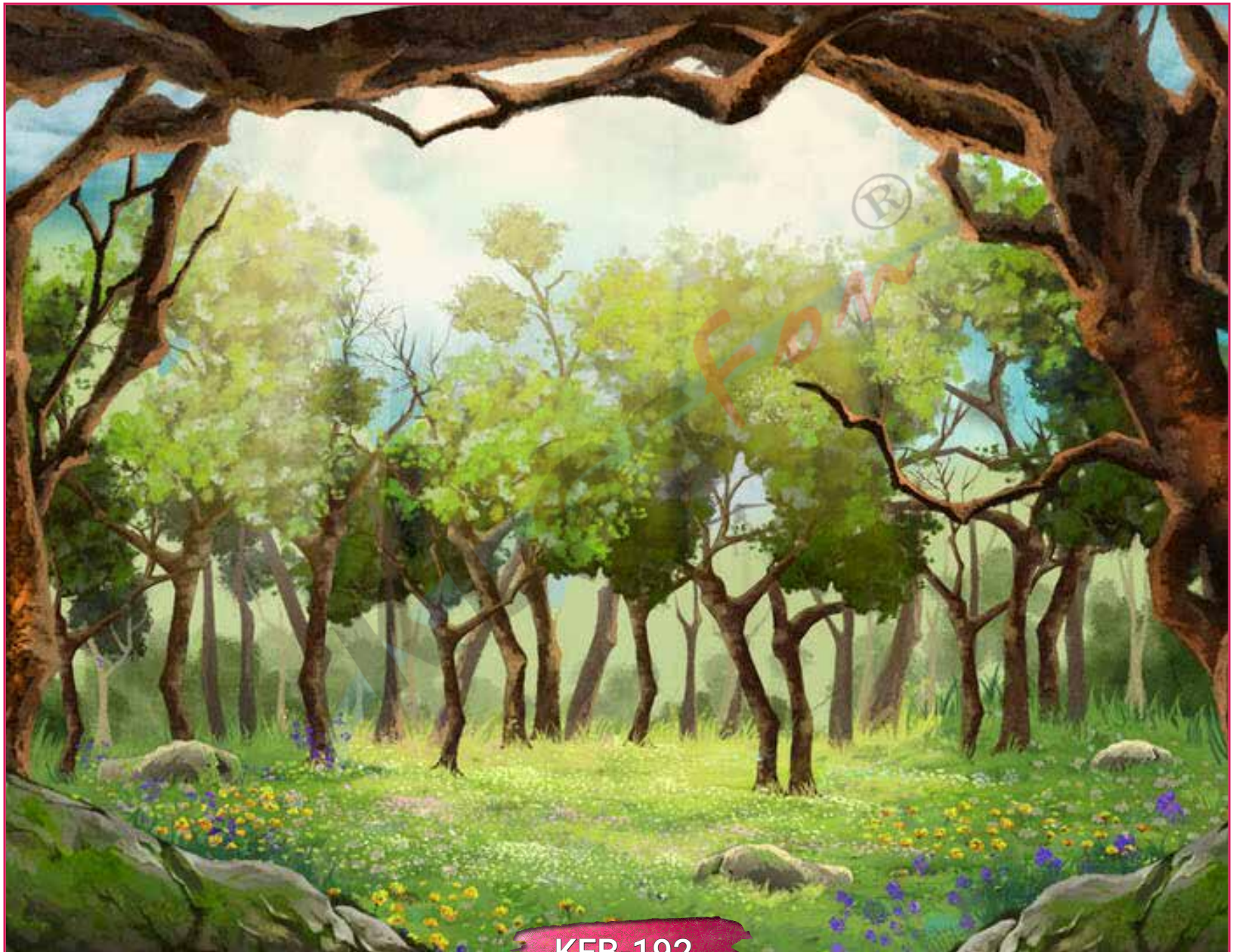






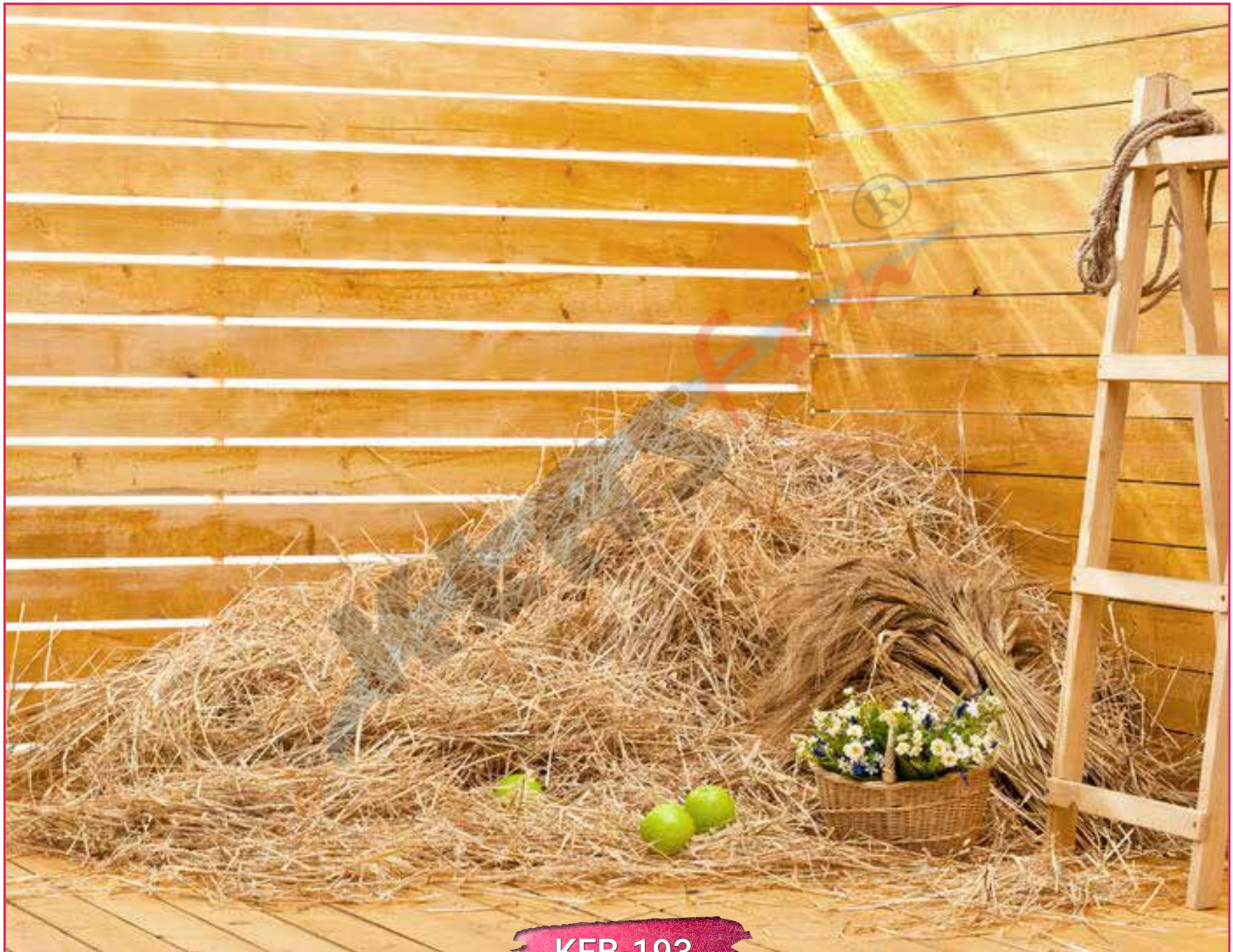
KFB-191





KFB-192





KFB-193





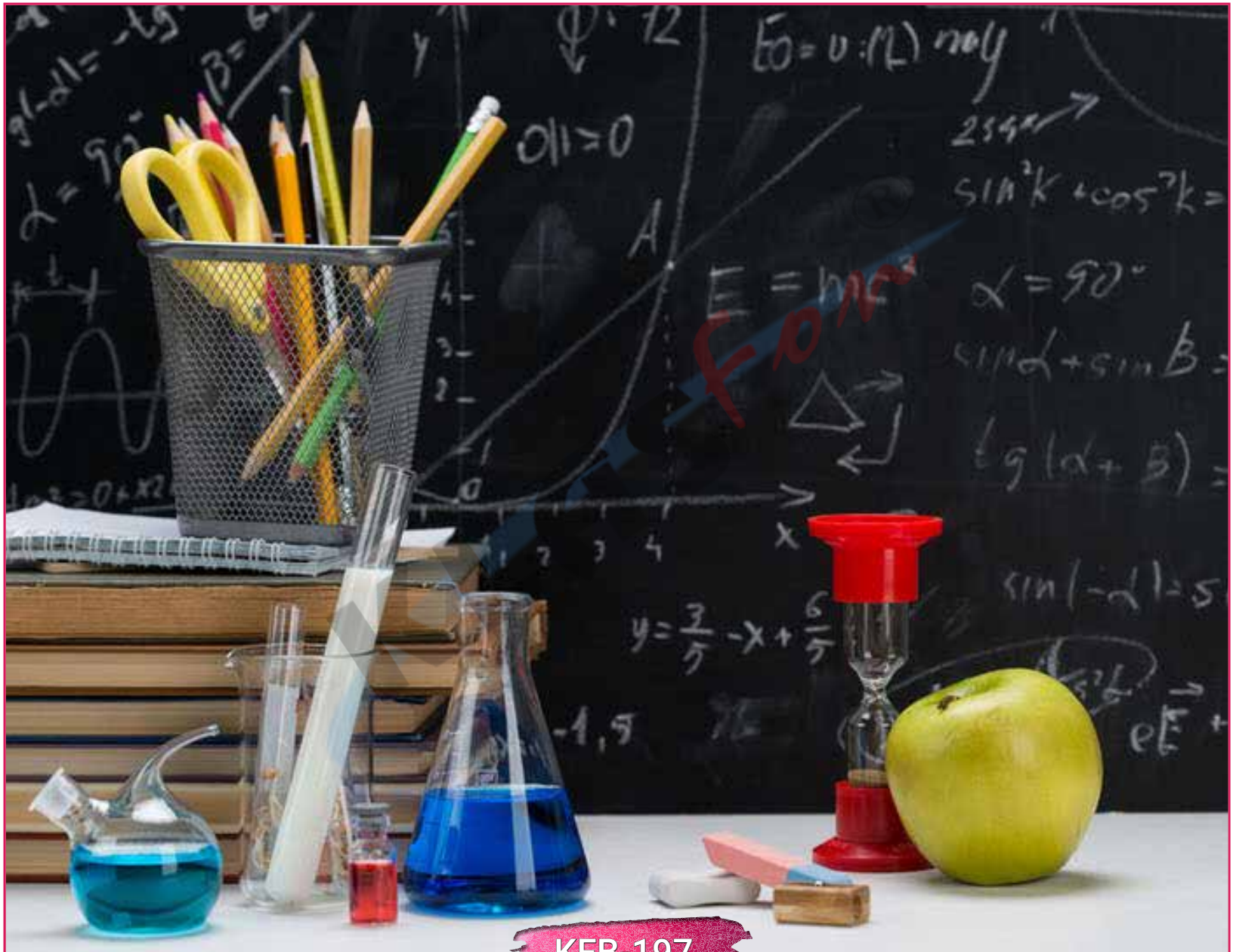
KFB-194





KFB-195





KFB-197



$$\sin \alpha = \sin(90^\circ - \alpha)$$

$$\sin \alpha = \frac{a}{c}$$

$$\cos \alpha = \frac{b}{c}$$

$$\operatorname{tg} \alpha = \frac{a}{b}$$

$$\operatorname{ctg} \alpha = \frac{b}{a}$$

$$\operatorname{tg} \alpha = \operatorname{tg}(90^\circ - \alpha)$$

$$\operatorname{ctg} \alpha = \operatorname{ctg}(90^\circ - \alpha)$$

$$\alpha + \beta = 90^\circ$$



KFB-198



$HD = AD - AH = 4\sqrt{6} - (2\sqrt{6} - 3)$   
 $\pi \approx 3,14$   
 $\pi \approx \frac{22}{7}$   
 $S = 16 - \int_2^3 x^2 dx = 16 - \frac{27}{3} + \frac{8}{3}$   
 $y = \frac{1}{1+x}$   
 $\Sigma = n-1$   
 $\cos x$   
 $R = \frac{AB \cdot BD \cdot AD}{4^2}$   
 $\Sigma f(x_i) \Delta x$   
 $S = 20\sqrt{3}$   
 $\sin^2(\alpha) + \cos^2(\alpha) = 1$   
 $\int f(x) dx$   
 $S = \frac{\pi}{2} - \int \sin x dx$   
 $\lim_{\max \Delta x_i \rightarrow 0} \dots$   
 $y = \sin 2x$   
 $R = \frac{AB \cdot BD \cdot AD}{4^2}$   
 $y = \frac{1}{1+x}$   
 $\Sigma = n-1$   
 $\sqrt[2]{xy}$   
 $\pi \approx 3,14$   
 $\pi \approx \frac{22}{7}$   
 $BB = \sqrt{100} = 10$   
 $D = AH = VD$   
 $y = \sin 2x$   
 $\Sigma = n-1$   
 $\sqrt[2]{xy}$   
 $\pi \approx 3,14$   
 $\pi \approx \frac{22}{7}$



KFB-199







KFB-202





KFB-203





KFB-204





KFB-206





KFB-207





KFB-208



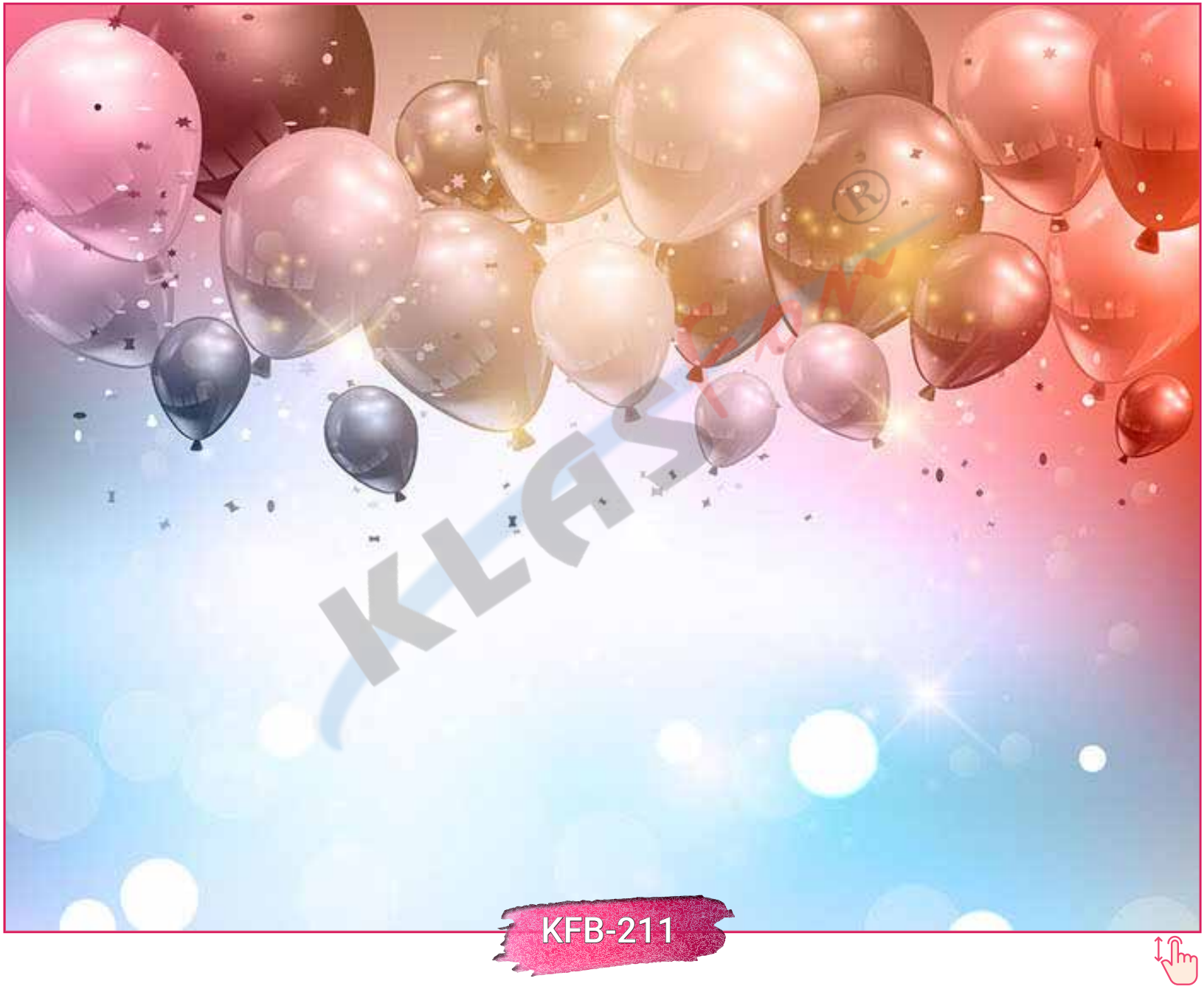




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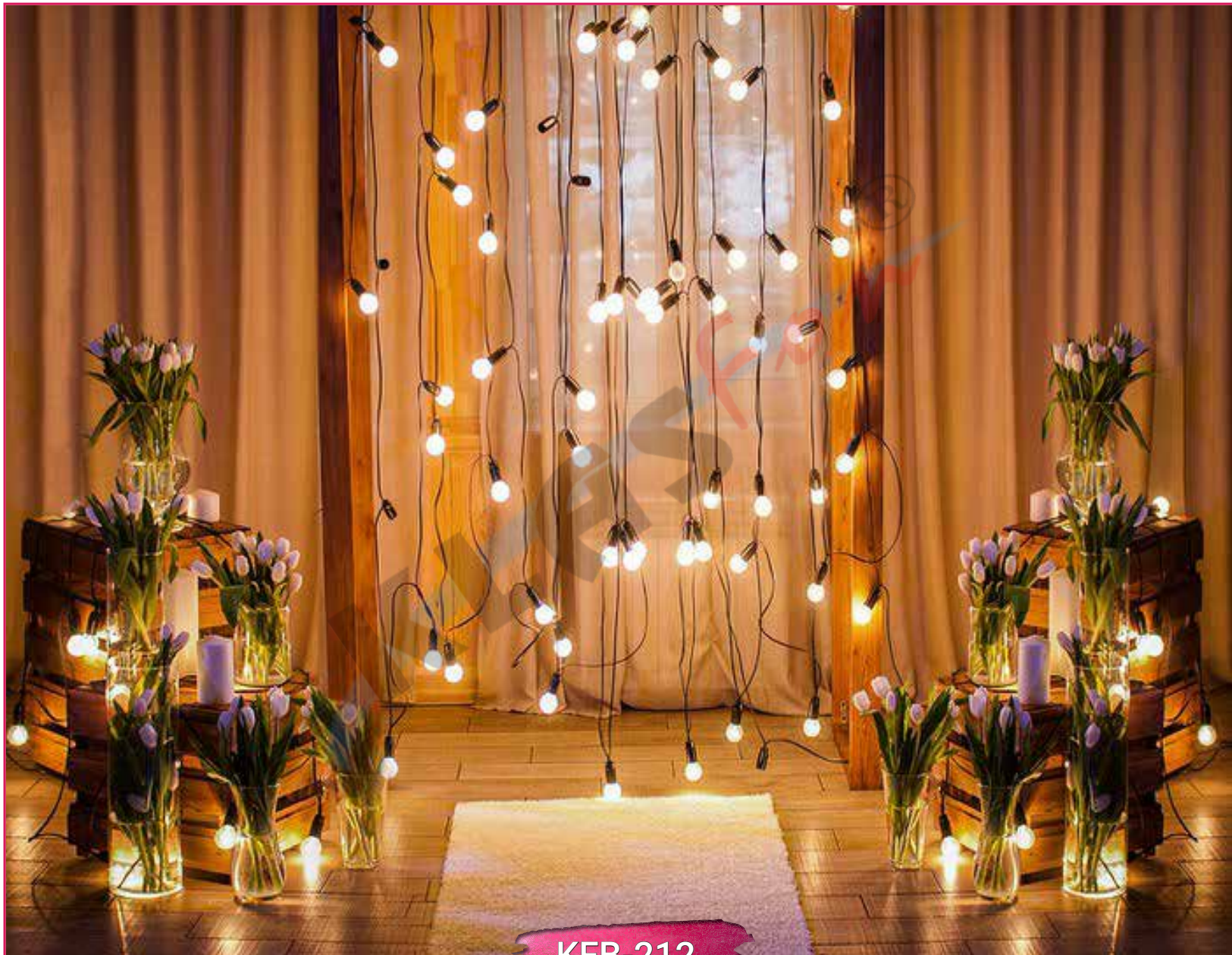






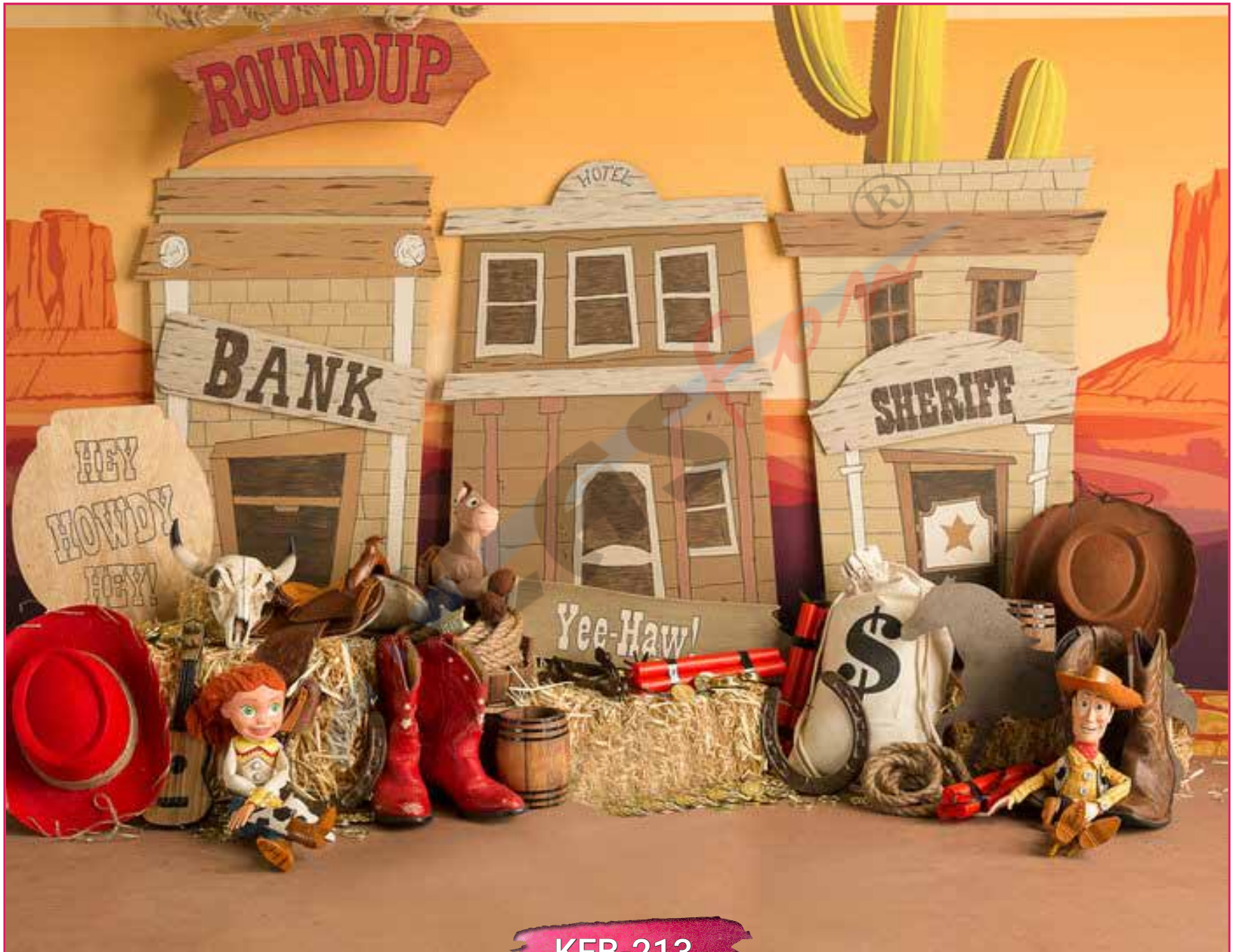
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KFB-212





KFB-213





KFB-214





KFB-215





KFB-216





KFB-217





KFB-218







KFB-219





KFB-220





KFB-221





KFB-222



# OFFICIAL MOUSE CLUBHOUSE



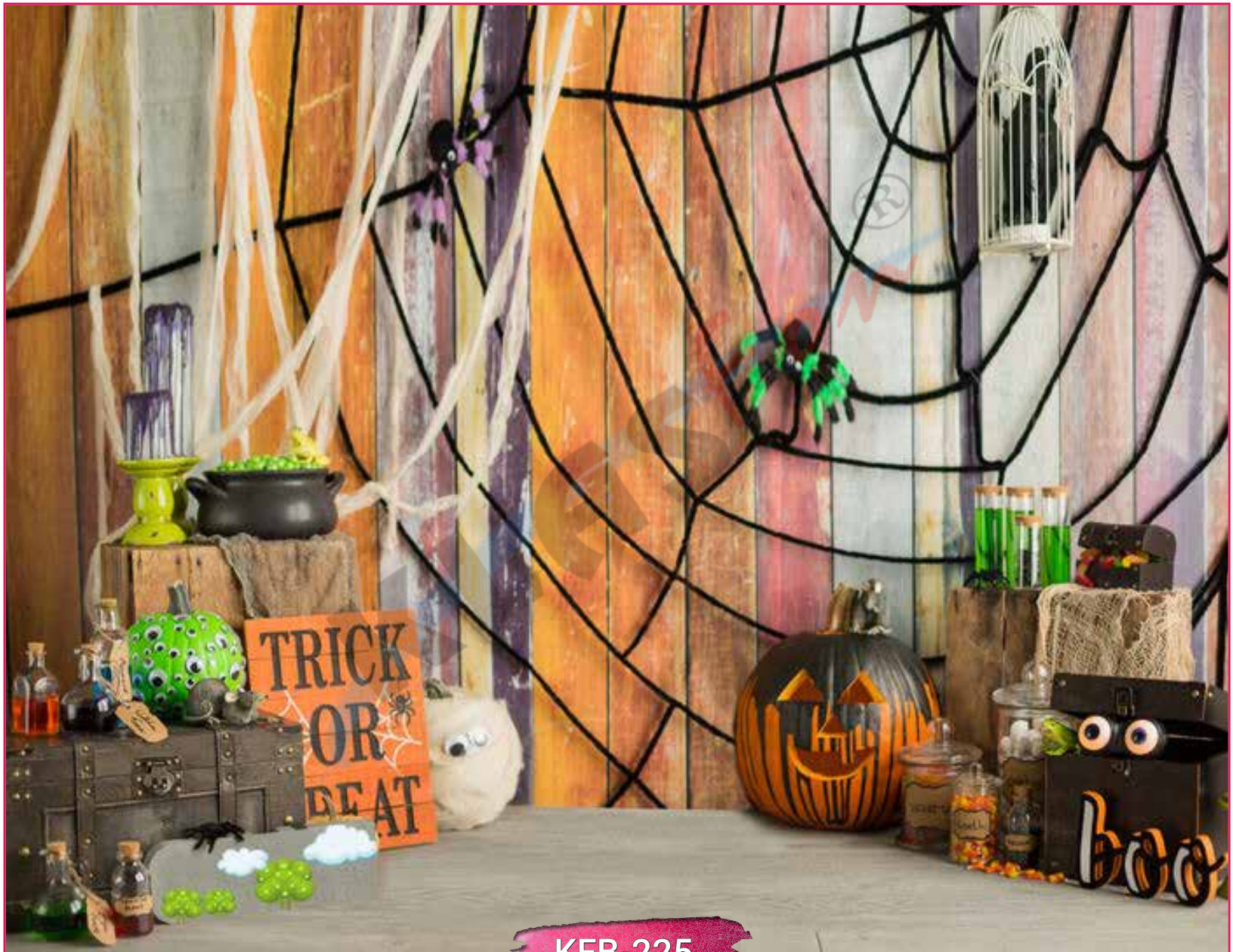
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KFB-225





KFB-226







KFB-227





KFB-228





KFB-229





KFB-230





KFB-231





KFB-232





KFB-233





KFB-234







KFB-235





KFB-236





KFB-237





KFB-238





KFB-239





KFB-240





KFB-241





KFB-242







KFB-243





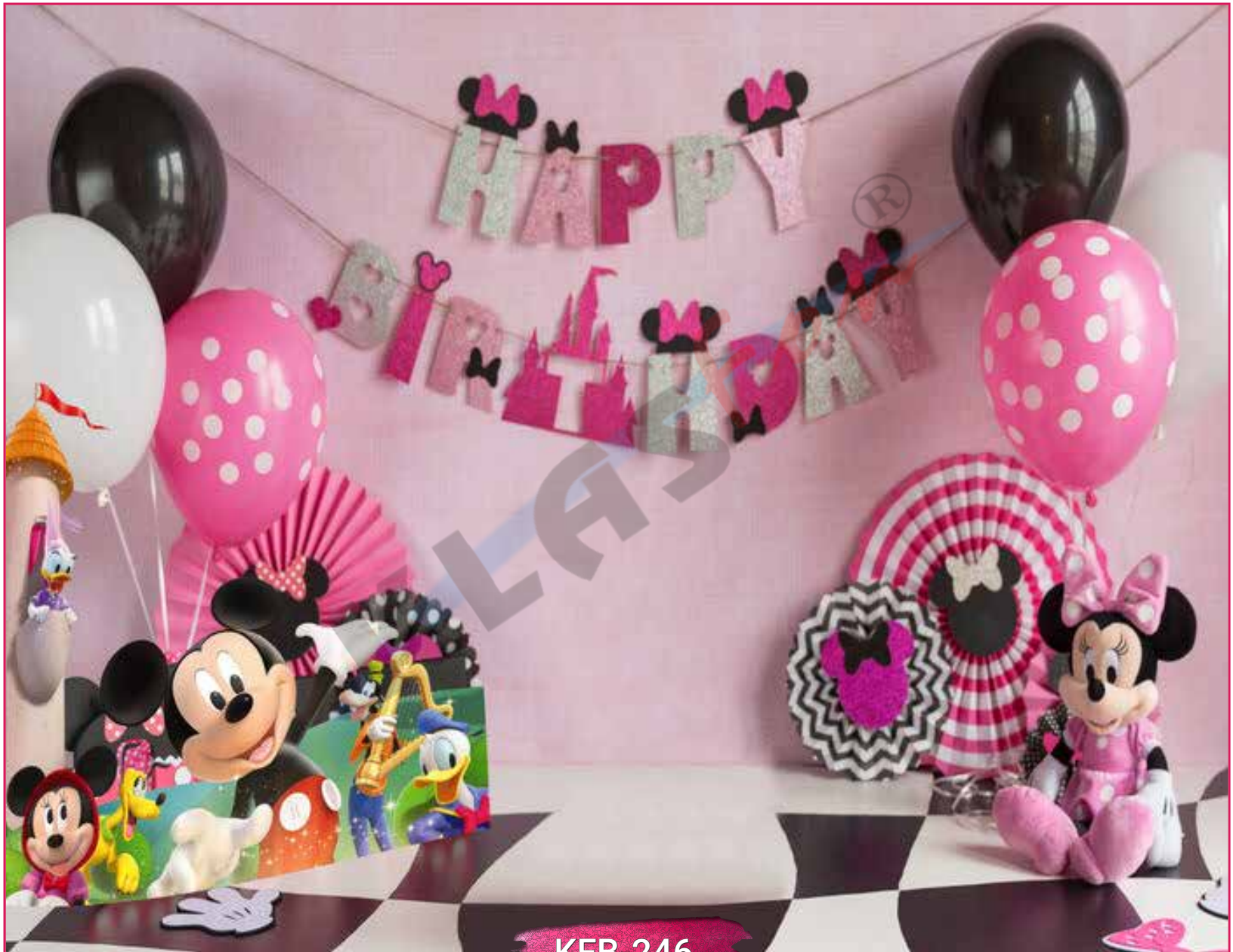
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KFB-248





KFB-249





KFB-250







KFB-251





KFB-252





KFB-253





KFB-254





KFB-255





KFB-256





KFB-257





KFB-258







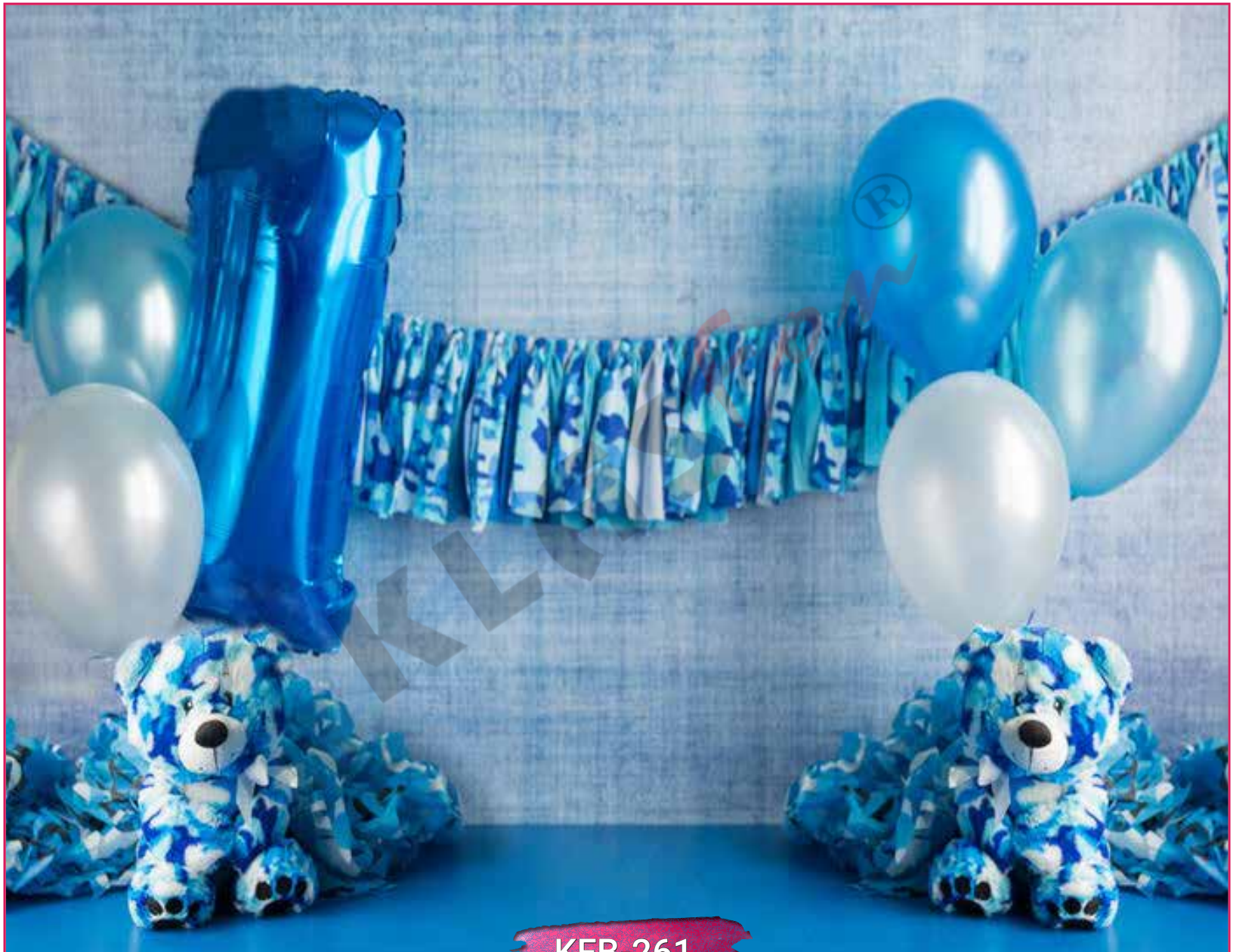
KFB-259





KFB-260





KFB-261





KFB-262



FRESH CUT  
Flowers  
SEEDS STEMS BLOOMS



KFB-263





KFB-264





KFB-265





KFB-266







KFB-267





KFB-268





KFB-269





KFB-270





KFB-271





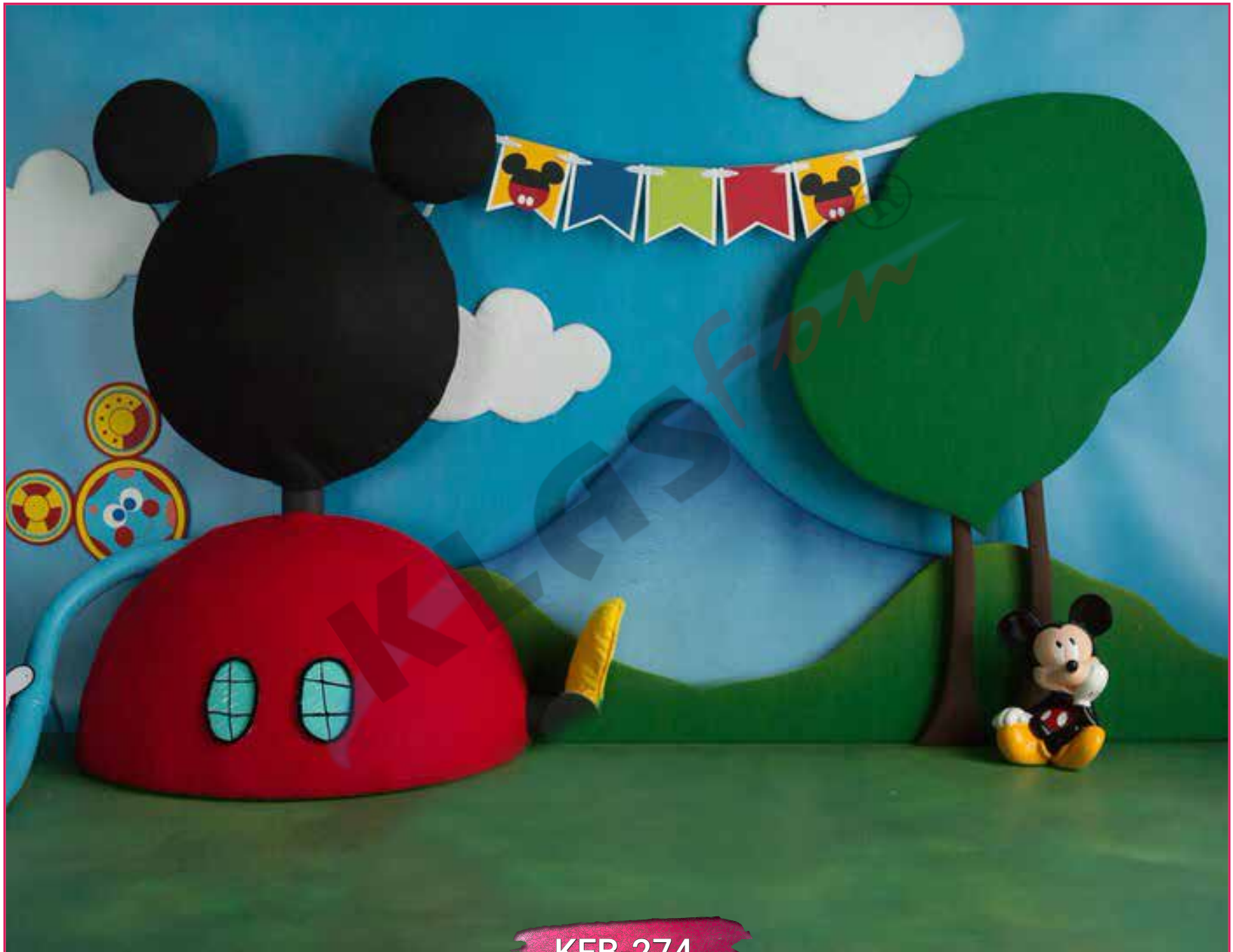
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KFB-273





KFB-274







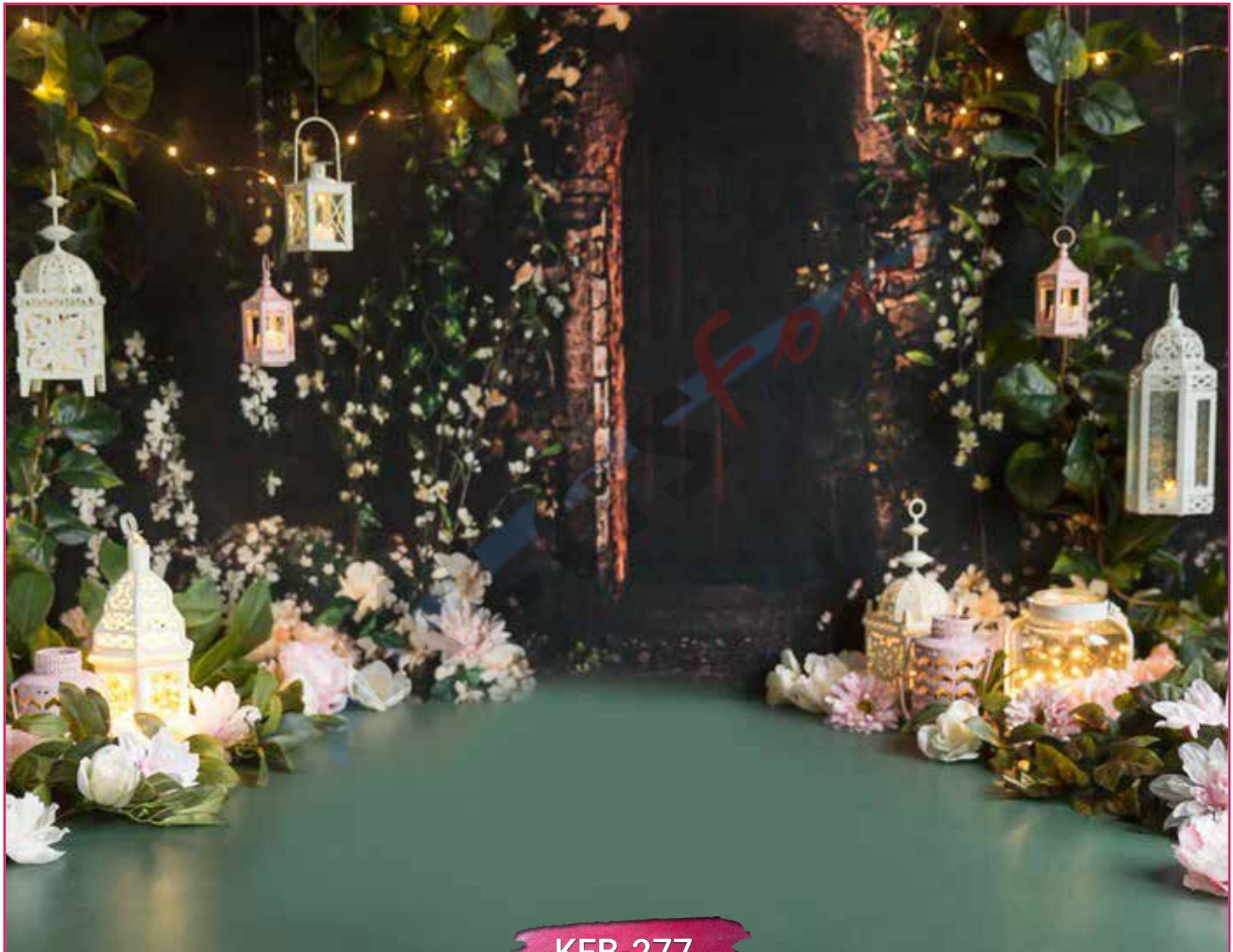
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KFB-277





KFB-278





KFB-300





KFB-301





KFB-302





KFB-303







KFB-304





KFB-305





KFB-306





KFB-307



KILLAS FOM

KFB-308





KFB-309





KFB-421



$$v_k = \sqrt{\frac{3kT}{m_0}} = \sqrt{\frac{3}{2}}$$

$$E = mc^2$$

$$y(x) = \sqrt{2/L} \sin \frac{n\pi x}{L}$$

$$(\vec{E} \times \vec{B}) \frac{Ec}{q} \int_{-a/L}^{+a/L} \sin(\omega t + \phi) dy$$

$$\lambda = \frac{h\nu_0}{T}$$

$$|E_c| = 2\omega$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \sqrt{\frac{3kT N_A}{M_m}} = \sqrt{\frac{3R_m T}{M_m \cdot 10^{-3}}}$$

# MEZUNİYET HATIRASI

$$\frac{v_2 - v_1}{v} = \frac{\lambda_2 - \lambda_1}{\lambda}$$

$$v = \frac{Q}{C}$$

$$= U_0 I \epsilon$$

$$= \int \frac{F_n}{R}$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \sqrt{\frac{3kT N_A}{M_m}} = \sqrt{\frac{3R_m T}{M_m \cdot 10^{-3}}}$$

$$a^2 + b^2 = c^2$$

$$\omega = 2\pi f$$

$$m = m_n = \frac{Q}{ve} \frac{M_m}{N_A}$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \sqrt{\frac{3}{2}}$$

$$E = mc^2$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \sqrt{\frac{3}{2}}$$

$$T = \frac{4n_1 n_2}{(n_2 + n_1)^2}$$

$$U_{ef} = \frac{U_m}{c} E = \hbar \omega$$

$$\vec{E} = \frac{NI\sqrt{2}}{2\pi r} \hat{\phi}$$

$$K = \frac{1}{2} 2m_e v_{max}^2 = \frac{M_m}{N_A} v_{max}^2 = M_m v_{max}^2$$

$$\lambda = \frac{h}{m v} = \frac{h}{\frac{K}{v}} = \frac{h v}{K}$$

$$f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{L}}$$

$$y(x) = \sqrt{2/L} \sin \frac{n\pi x}{L}$$

$$\oint \vec{E} \cdot d\vec{l} = \mu_0 \int \vec{J} \cdot d\vec{a}$$

$$C(s) = \oint \vec{B} \cdot d\vec{l} = \mu_0 I$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \sqrt{\frac{3R_m T}{M_m \cdot 10^{-3}}}$$

$$\oint \vec{B} \cdot d\vec{l} = \mu_0 I$$

$$C(s)$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \sqrt{\frac{3}{2}}$$

$$I = \frac{U_e}{R}$$

$$F_g = m g$$

$$\lambda = \frac{h\nu_0}{T}$$

$$|E_c| = 2\omega$$

KFB-422

